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Understanding the electronics of donor acceptor columnar liquid crystals

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Understanding the Electronics of Donor Acceptor Columnar Liquid Crystals

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Abstract

Donor acceptor columnar liquid crystals (DACLCS) are at the forefront of the development of new sustainable materials for energy storage. Their unique optical properties give rise to their popularity. Theoretical modeling of these systems using Density Functional Theory (DFT) can provide useful insight into the CT mechanism of different donor acceptor pairs such as naphthalenediimide (NDI) and diaminonaphthalene (DAN). However, modeling these systems requires care in the selection of functionals. The B3LYP functional is the most basic double hybrid functional. Functionals such as the CAM-B3LYP and the ω B97X-D include more specifications about long range exchange-correlation to apply to systems with more complicated noncovalent interactions such as pi-pi interactions, which are important in modeling the donor-acceptor interactions in DACLCs. Theoretical modeling of the absorption spectrum using semi-empirical wavefunction based methods can provide computationally less expensive to model the larger system. The electronic properties of the CT can be seen in the absorption spectrum of the DAN and NDI mixture. In this work, a comparison of DFT functionals is performed to determine the best model of the DACLC system (Section 1). Then, simulation of the experimental spectrum by manipulating parameters of the Hamiltonian operator is performed to provide a scaffold for the prediction of new DACLC and provide insight to the electronic interactions in a DA stack (Section 2).

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Introduction

Global demand for new and low-cost technologies, products, and energy continues to flourish and Earth's ability to provide diminishes so the search for sustainable development of these materials is imperative. The emerging principles of supramolecular chemistries provides the platform for the discovery of these materials at a lower cost. Liquid crystals, materials in the stable phase between crystalline solids and isotropic liquids, have become important in research and development because of their capabilities of self-organization and sensitivities to external stimuli¹. Donor-acceptor columnar liquid crystals (DACLCS) are formed from aromatic molecules that self-assemble in face-to-face stacking (Figure 1) and are of interest for the development of photovoltaics and organic electronics.

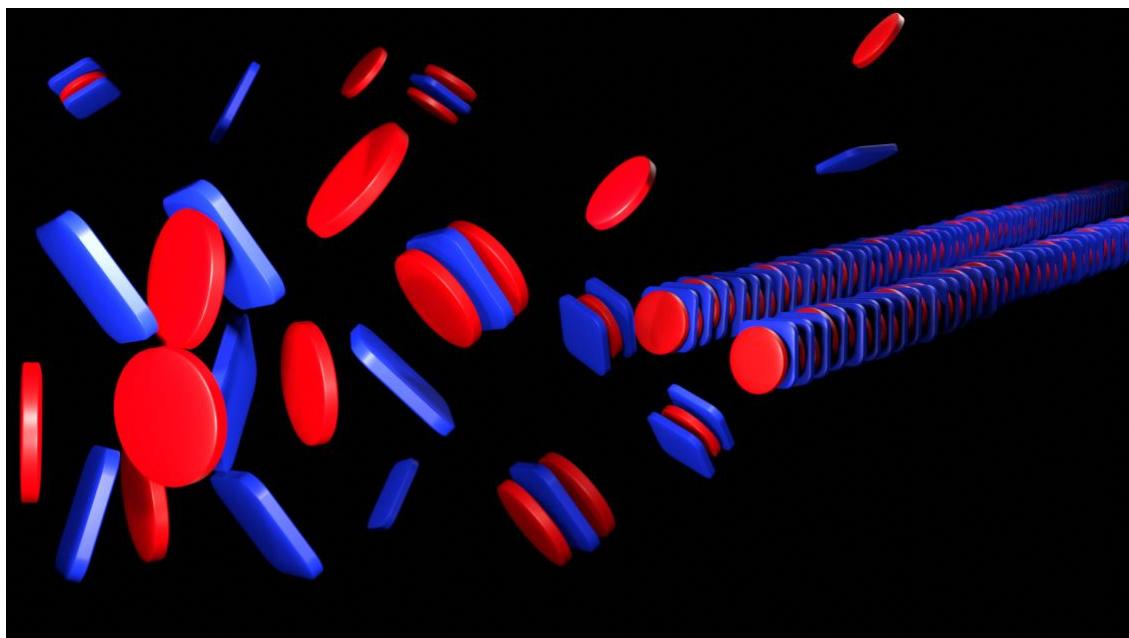


Figure 1. Model of donor-acceptor column formation. Donor (DAN) and acceptor (NDI) structures.

This face-to-face stacking results from one aromatic molecule containing an electron poor (acceptor) π -surface and the other containing an electron rich π -surface. This phenomenon results from weak noncovalent interactions known as charge transfer (CT). An example of such a

pairing is with 1,5-diaminonaphthalene (DAN), the electron-rich donor and naphthalenediimide (NDI), the electron-poor acceptor (Figure 2).

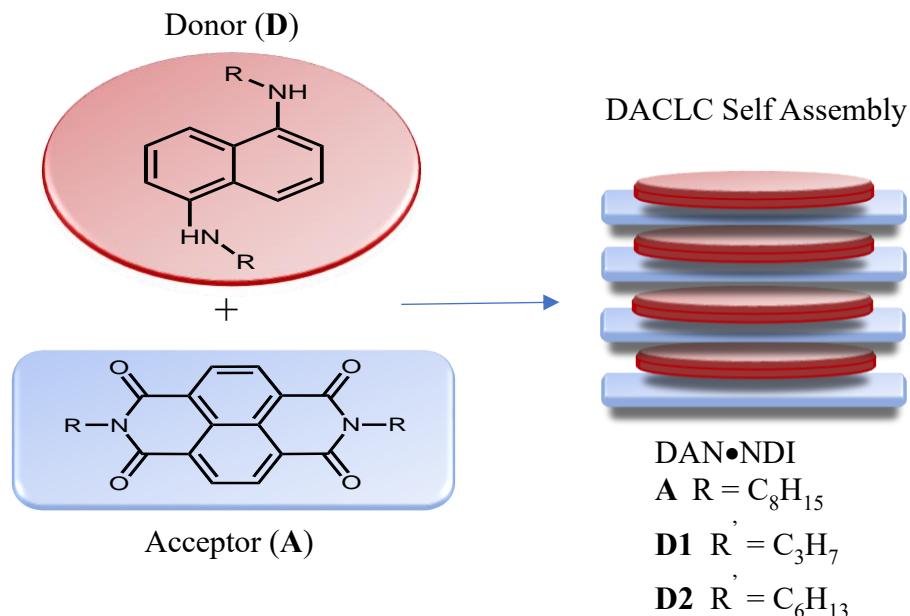


Figure 2. Schematic of self-assembly and alternation of DACLC components.

The nature of the charge transfer properties in donor-acceptor systems has been well-studied as the broad optical bands can be seen in the UV-vis spectrum². The properties of a donor-acceptor system can be further understood with access to the CT band; however, it is best to be able to predict the nature of the CT properties in a given system before spending time and resources synthesizing the compounds required. Computational and theoretical methods can be used to predict these opto-electric properties and may be further developed and adapted to model our systems of interest.

Computational chemistry can be used to solve different problems that arise in chemistry. This can be done by defining a system, such as identifying the number of protons, electrons, and neutrons and identifying how they interact in space using either quantum or classical mechanics.

From there, different properties of how atoms or molecules interact in space can be predicted. In order to view from a quantum mechanical standpoint, computational chemistry must deal with different ways to solve the time-independent Schrodinger equation as shown in Equation 1.

$$\hat{H}\psi(R, r) = E\psi(R, r) \quad (1)$$

Where \hat{H} is the Hamiltonian operator, ψ is the wavefunction based on the positions of the nuclei (R) and electrons (r) in the system, and E is the energy of the wavefunction. However, the equation cannot be completely solved, only approximated because it is impossible to determine the relative positions of nuclei and electrons as they are all dependent on each other. For example, if there are two electrons and a nucleus in a system, without already knowing the exact position of the nucleus, the position of the electrons cannot be known, but the position of the nucleus cannot be determined without knowing the positions of the electrons. Computational chemistry often deals with different uses of approximations to determine the wavefunction to solve the Schrodinger equation. A few important approximations include the Born-Oppenheimer approximation, the Hartree-Fock approximation, and the Linear Combination of Atomic Orbitals (LCAO) approximation. The Born-Oppenheimer approximation allows the wavefunction to separate the wavefunction of the nuclei (nuclear wavefunction) from that of the electrons (electronic wavefunction), and then to fix the position of the nuclei. The Hartree-Fock approximation allows the electronic wavefunction to be separated into a product of function that depend on only the position of one electron. Electron-electron repulsion for each electron is approximated as the average repulsion of all other electrons on one electron in the system for each. To solve this, a self-consistent field is utilized where a set of electron functions are assumed, and based on this, the average electron-electron repulsion term is determined. Then, base a new set of electronic functions based off of this value. This process can be repeated until

the energy calculated using each electronic wavefunction stops decreasing. This approximation does not allow the wavefunction to describe how electron movements can impact the position of other electrons instantaneously such as electron-electron repulsion, but also electron correlation. Computational chemistry utilizes different approaches to better approximate electron-electron interactions to better model systems (All information in this paragraph)³.

I. Density Functional Theory Study

Introduction:

Density functional theory (DFT) computes energies based on the electron density rather than electronic wavefunctions³. This utilizes less computing power as the total electron density function relies on 3 variables rather than the $3n$ variables required for the electronic wavefunctions, resulting in DFT providing a more direct route to computing molecular energies. Two theorems dictate how DFT works. First, the Hohenberg—Kohn existence theorem proves that there is a density functional that gives the exact energy. This shows that electron density follows the variational principle. For a given electron density, the energy will be greater than or equal to the exact energy of the system. This is similar to how HF molecular orbitals are solved for in that the system is solved for iteratively until the energy is minimized. However, this is done with the density instead of individual electron positions. The functionals involve the nuclear attraction terms, the classical electron-electron repulsion terms, and finally, as an improvement upon the Hartree-Fock functions, the exchange-correlation term. DFT's ability to solve for electron correlation is important because it can do this using the same computation power as HF, but improves on what is yielded³.

Different molecular interactions benefit from the use of specific basis sets and functionals. Some systems are more susceptible to errors such as counterpoint errors than others. With this understood, it is important to identify the correct basis sets and functionals to model different systems of interest. Specifically, accurately modeling the electrostatics for charge transfer in pi stacked systems require in depth computational focus on the intermolecular interactions involved³.

Basis sets are used to specify the atomic orbitals in a system. These can be expanded into the molecular orbitals using a combination of gaussian functions to mimic the slater type orbital. Theoretical modeling of a system at the minimum involves one basis set for each formally or partially occupied orbital in an atom; this is known a single zeta. However, single zeta is usually inadequate as it does not yield accurate distances between core electrons and valence electrons necessary for delocalization. To remedy this issue, basis sets can be doubled, or even tripled. Most basis sets involve split valence basis sets, which focus on the valence electrons by splitting them into inner and outer valence electrons. This is signified by the dash (-) in the function. For example, in the 6-31G basis function, the gaussian functions for the core electrons are detailed on the right, 6 Gaussian functions are used to model the core electrons, and the valence is then split into inner and outer valence electrons, 3 Gaussian functions for the inner and 1 for the outer valence electrons³.

Each functional differs in how it deals with the exchange-correlation term. The exchange correlation term is separated into an exchange term and a correlation term, and with that, their own energies. In the simplest treatment of the two terms is local density approximations (LDA), which assumes that the exchange energy can be solved using a constant density value. This makes the assumption of complete uniformity. Local spin density approximation (LSDA) assumes similarly but includes the presence of alpha and beta densities and that they are not equal. Improvements upon this involve including the variational aspect of density by adding the derivative of the density function into the functional. Such approximations are known are generalized gradient approximations (GGA). GGA were improved with the meta-GGA functional, which add in dependence of the Laplacian, which led to hyper-GGA with added dependence on the exact HF exchange. Double hybrid functionals further these functionals by

including unoccupied Kohn Sham orbitals³. The most basic hybrid functional is the B3LYP, with the “B” denoting the exchange term by Becke, and the “LYP”, denoting the use of the correlation functional by Lee, Yang, and Parr. Becke’s exchange term involves the use of an LSDA with the density derivative. The LYP term uses the Laplacian of the density for the correlation term. One problem arises in modeling the exchange-correlation hole, which at the limit, only involves exchange and no correlation³. This is improved upon by including a long-range correction using nonlocal HF terms denoted as long range and short range; however, HF is only applied to the long range. The use of the nonlocal HF was first used in the M06 suite of functionals, which were then used for systems with noncovalent interactions, such as pi-pi stacking as seen in the literature⁴. The omegaB97 functionals then incorporates both long- and short-range HF corrections to its system³. Finally, dispersion corrected DFT, signified with “D” has been incorporated into many models to more accurately model London dispersion interactions⁵. Previous research has found that the ω B97X-D has been the best functional to model donor-acceptor systems^{6,7}.

Results and Discussion

All calculations were performed on Spartan software. Three functionals were tested to determine the functional that predicts the HOMO to LUMO energy levels. They were performed first by calculating the equilibrium geometry with the molecules at the ground state in the gas phase using the basis set 6-311G**. This was done for the NDI (Table 1, Figure 3) and DAN (Table 2, Figure 4) monomers, dimer (Table 3, Figure 5), dimer with two unpaired electrons (Table 4, Figure 6), trimer (Table 5, Figure 7), and trimer with two unpaired electrons (Table 6, Figure 8). The values were then compared to the energy gap in the excitation spectrum taken in solution of NDI (Figure 3), DAN (Figure 4), and the mixture of the two (Figure 5).

The energy gaps from DFT calculations were found by subtracting the HOMO energy level from the LUMO energy level. The energy gap was calculated from the experimental absorption spectra with Equation 2. Although there are many more than two to three donor-acceptor pairs in a stack, dimer and trimer simulations were done to simulate a stack as DFT calculations of a larger system would cost too much computationally.

$$\text{Band Gap} = \frac{1}{\text{Wavelength}(nm) * 10^{-7}cm} \div 8065eV \quad (2)$$

NDI has a band gap of 3.26 eV as shown in the experimental spectrum (Figure 4). The functional yielding the closest energy gap between the HOMO and LUMO energy levels is the B3LYP functional with a band gap of 3.2 eV. Similarly, the B3LYP functional results in the most accurate band gap for the DAN molecule with the DFT calculation providing a band gap of 4.2 eV, while the experimental shows a band gap of 3.56 eV. Among dimer calculations, the CAM-B3LYP produced a band gap of 2.5 eV, closest to the excitation energy in the experimental around 2.57 eV. For the dimer with 2 unpaired electrons, the B3LYP produced a band gap of 1.7 eV, which is close to the CT peak at 1.86 eV in the experimental spectrum. The trimer calculation with the B3LYP functional also produced a band gap of 1.7 eV. Finally, the ω B97X-D functional performing the calculation for the trimer with two unpaired electrons resulted in the closest band gap calculation for the excitation around 482 nm, or 2.57 eV as this calculation showed a band gap of 2.1 eV. However, the calculation with the CAM-B3LYP functional produced a value closer to the CT at 1.4 eV. Additionally, the trimer calculation produced an interesting result in the orbital diagram as it shows electron delocalization across the stack.

Because previous research has shown the usefulness of time-dependent DFT calculations in modeling the electronics of pi-pi stacked systems¹⁰, the UV-Vis spectrum simulator in Spartan

was utilized to determine which functional could best predict the experimental absorption spectrum. This was done using different functionals to calculate the absorption spectrum of the DAN and NDI dimer. The ω B97X-D functional provides the most closely matching spectrum, with the CT band around 667 nm (Figure 12).

Table 1. HOMO and LUMO calculations of NDI found using three different functionals using the 6-311G** basis set. Molecule was simulated in the gas phase at the ground state.

Functional	HOMO (eV)	LUMO (eV)	Energy Gap (eV)
ω B97X-D	-9	-2.2	-6.8
CAM-B3LYP	-8.4	-2.8	-5.6
B3LYP	-7.2	-3.8	-3.4

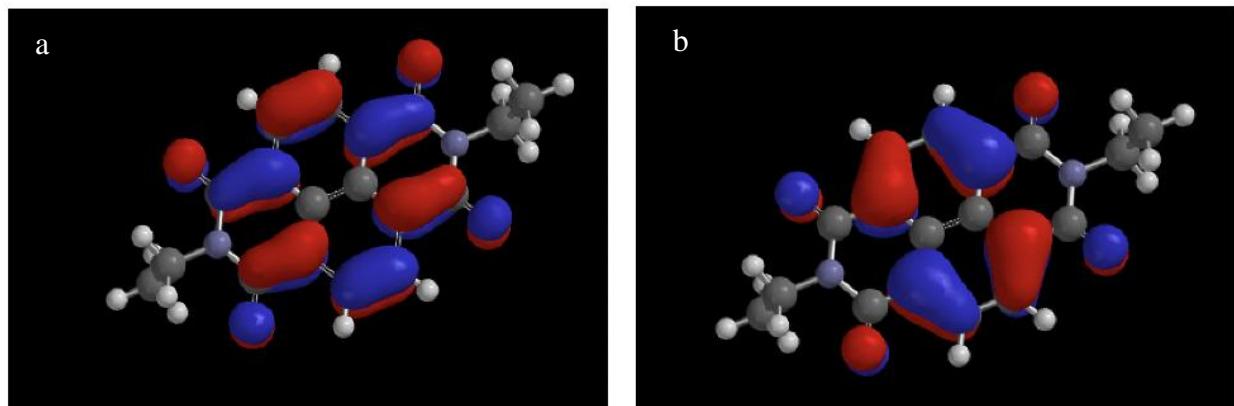


Figure 3. LUMO (a) and HOMO (b) orbital diagrams for NDI.

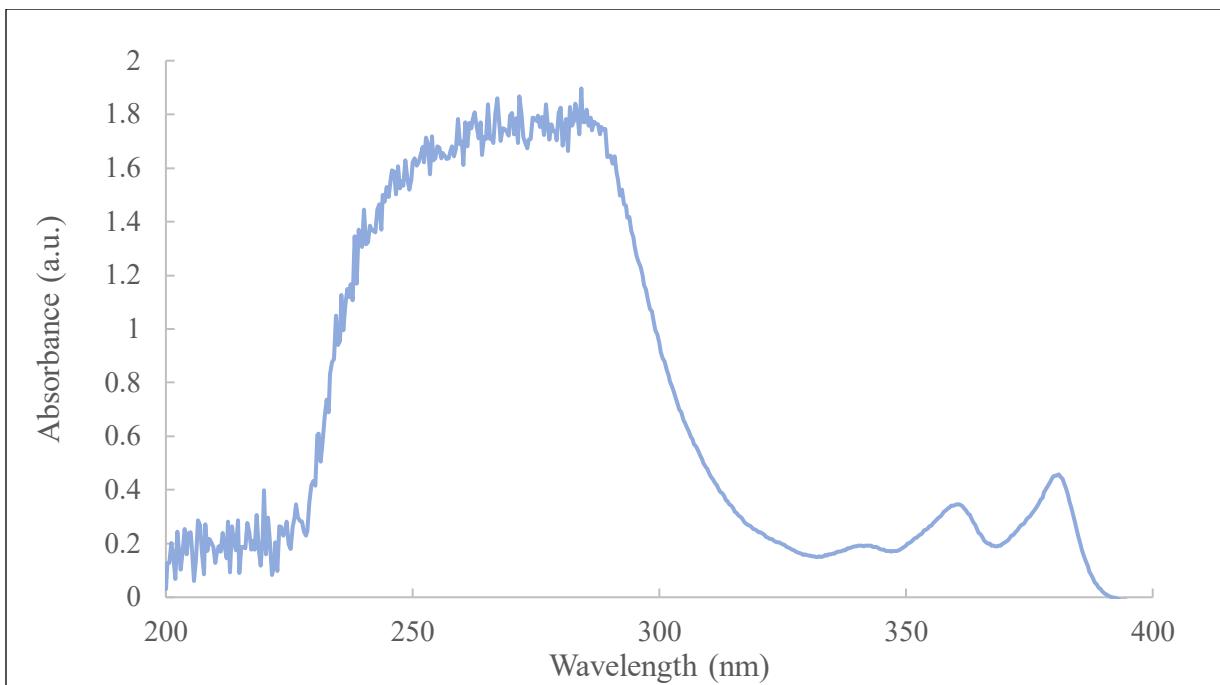


Figure 4. Absorption spectrum of NDI solution. Taken using the Ocean Optics spectrophotometer. Excitation (A^*) at 380 nm (3.26 eV)

Table 2. HOMO and LUMO calculations of DAN found using three different functionals using the 6-311G** basis set. Molecule was simulated in the gas phase at the ground state.

Functional	HOMO (eV)	LUMO	Energy Gap (eV)
ω B97X-D	-7	0.8	-7.8
CAM-B3LYP	-6.5	0.1	-6.6
B3LYP	-5.2	-1	-4.2

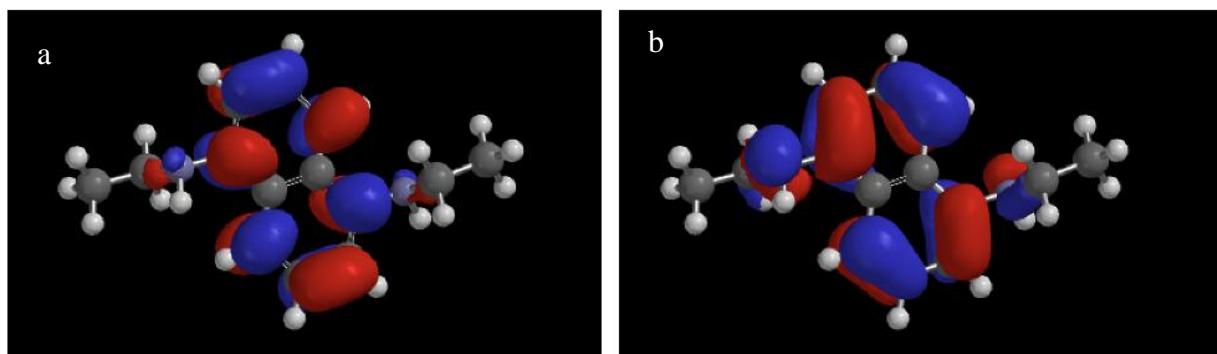


Figure 5. LUMO (a) and HOMO (b) orbital diagrams for DAN.

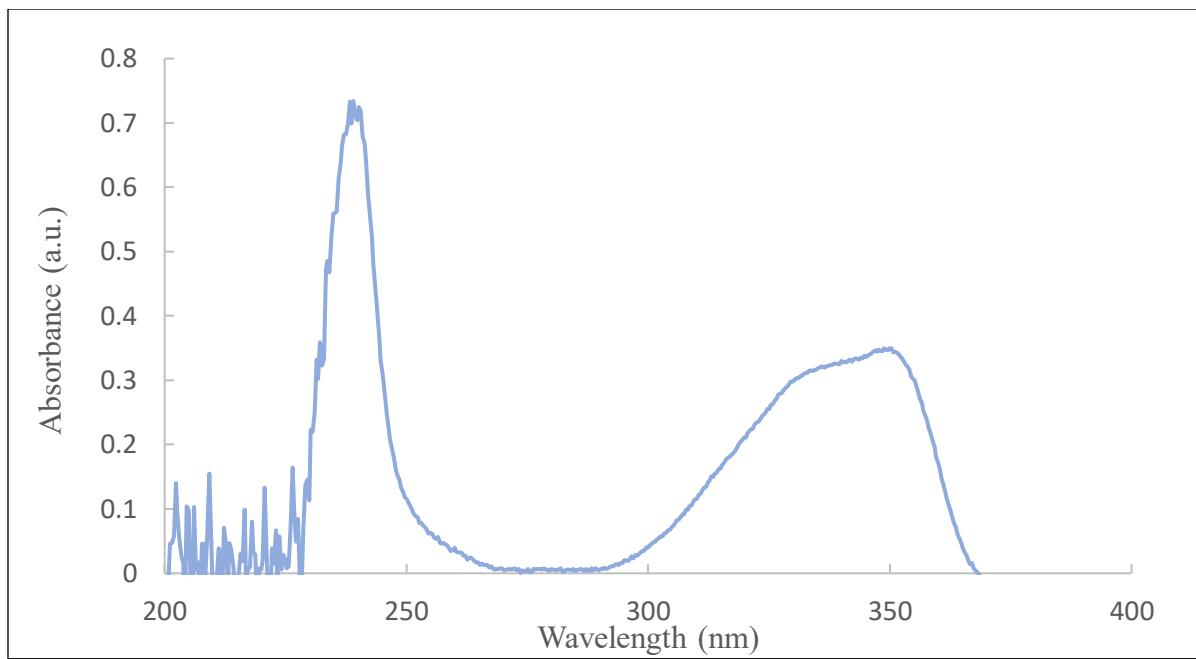


Figure 6. Absorption spectrum of DAN solution. Taken using the Ocean Optics spectrophotometer. Excitation (D^*) at 350 nm (3.54 eV).
B3LYP yields best results for monomers

Table 3. HOMO and LUMO calculations of dimer found using three different functionals using the 6-311G** basis set. Molecule was simulated in the gas phase at the ground state.

Functional	HOMO (eV)	LUMO (eV)	Energy Gap (eV)
ω B97X-D	-6.7	-1.8	-4.9
CAM-B3LYP	-6.2	-2.5	-2.5
B3LYP	-5.3	-3.6	-3.6

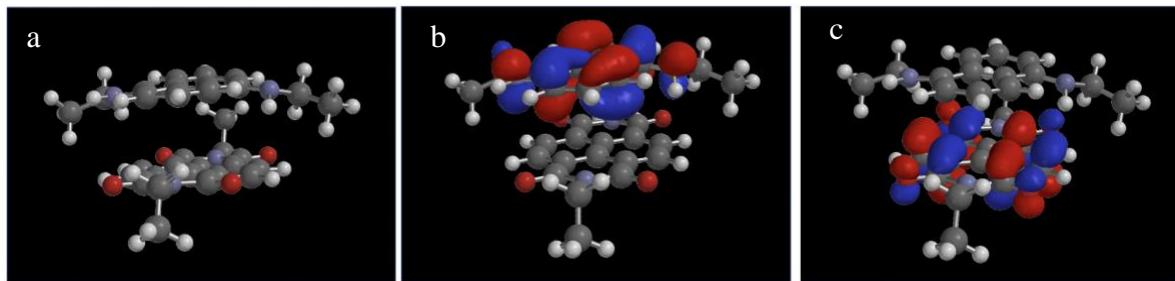


Figure 7. Equilibrium geometry (a), LUMO (b) and HOMO (c) orbital diagrams for NDI+DAN dimer.

Table 4. HOMO and LUMO calculations of dimer found using three different functionals using the 6-311G** basis set. Molecule was simulated in the gas phase at the ground state with 2 unpaired electrons.

Functional	HOMO (eV)	LUMO (eV)	Energy Gap (eV)
ω B97X-D	-4.7	-0.2	-4.5
CAM-B3LYP	-4.2	-0.8	-3.4
B3LYP	-3.4	-1.7	-1.7

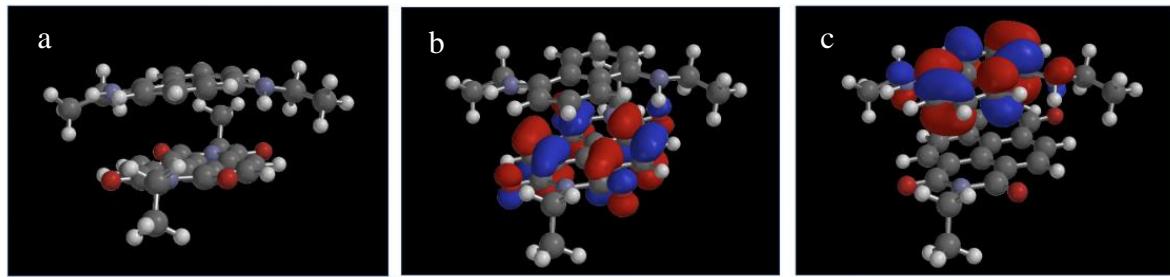


Figure 8. Equilibrium geometry (a), LUMO (b) and HOMO (c) orbital diagrams for NDI+DAN dimer with two unpaired electrons.

Table 5. HOMO and LUMO calculations of trimer found using three different functionals using the 6-31G* basis set. Molecule was simulated in the gas phase at the ground state.

Functional	HOMO (eV)	LUMO (eV)	Energy Gap (eV)
ω B97X-D	-7.0	-1.7	-5.3
CAM-B3LYP	-6.5	-2.3	-4.2
B3LYP	-5.3	-3.6	-1.7

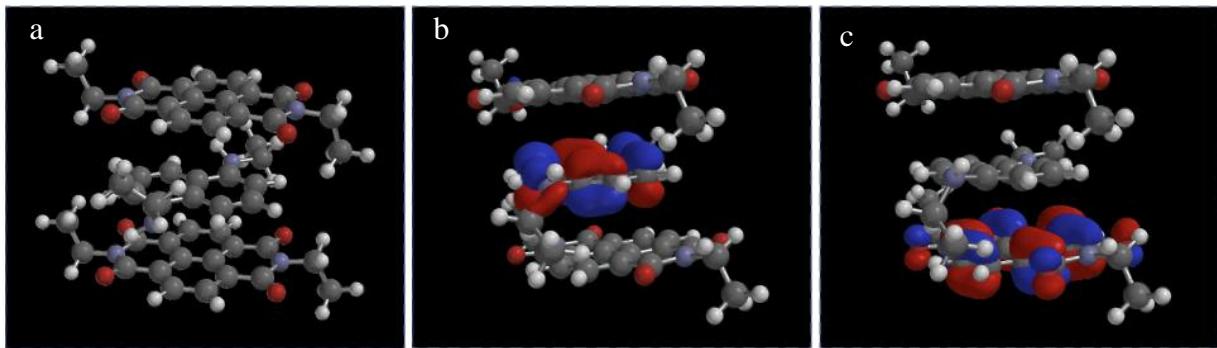


Figure 9. Equilibrium geometry (a), LUMO (b) and HOMO (c) orbital diagrams for NDI+DAN+NDI trimer.

Table 6. HOMO and LUMO calculations of trimer found using three different functionals using the 6-31G* basis set. Molecule was simulated in the gas phase at the ground state with 2 unpaired electrons.

Functional	HOMO (eV)	LUMO (eV)	Energy Gap (eV)
ω B97X-D	-4.7	-2.6	-2.1
CAM-B3LYP	-4.3	-2.9	-1.4
B3LYP	-3.9	-3.4	-0.5

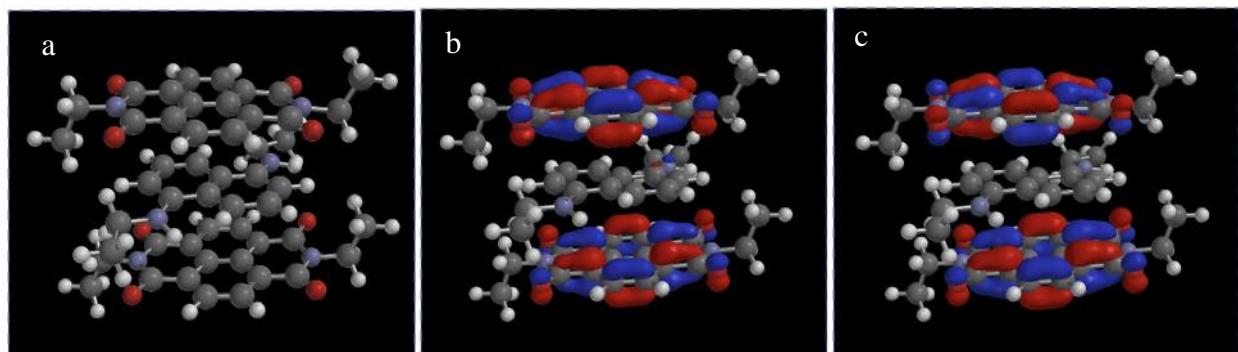


Figure 10. Equilibrium geometry (a), LUMO (b) and HOMO (c) orbital diagrams for NDI+DAN+NDI trimer with 2 unpaired electrons.

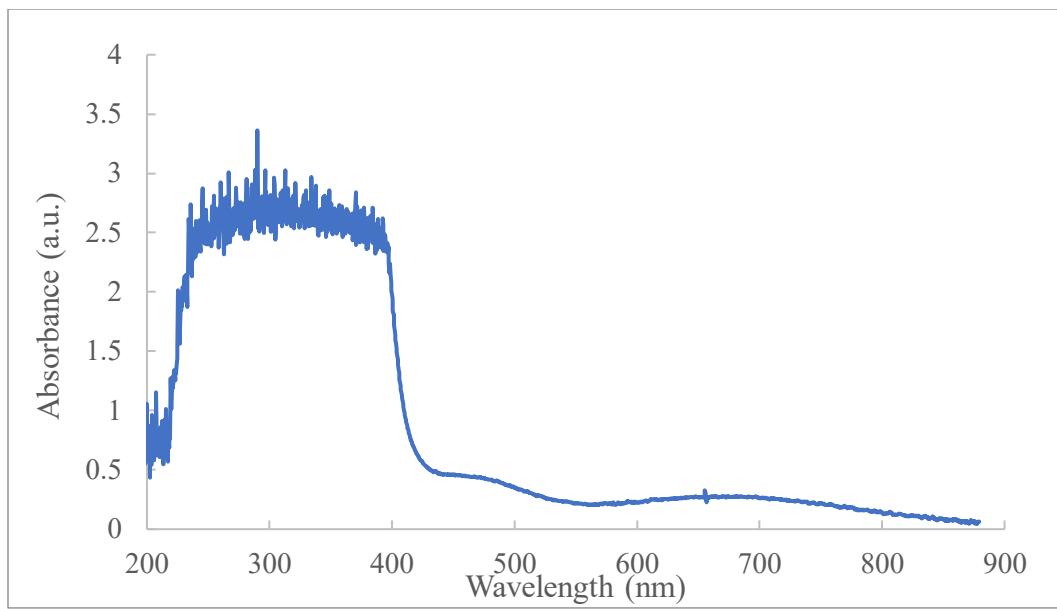
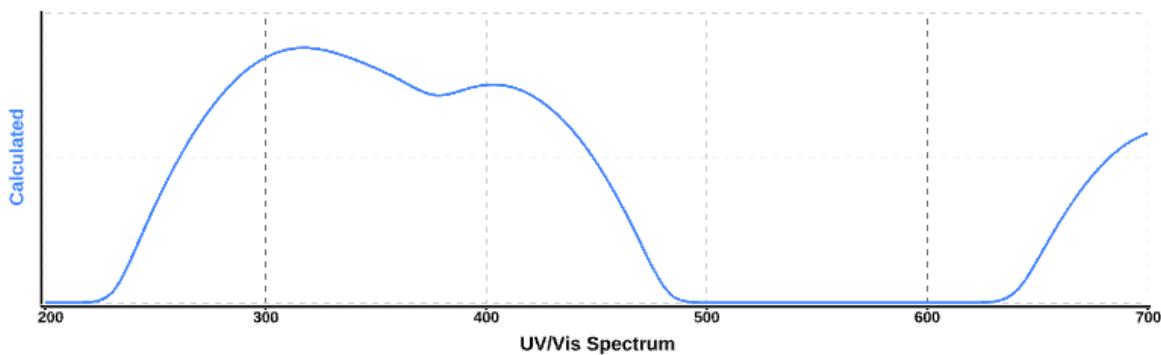
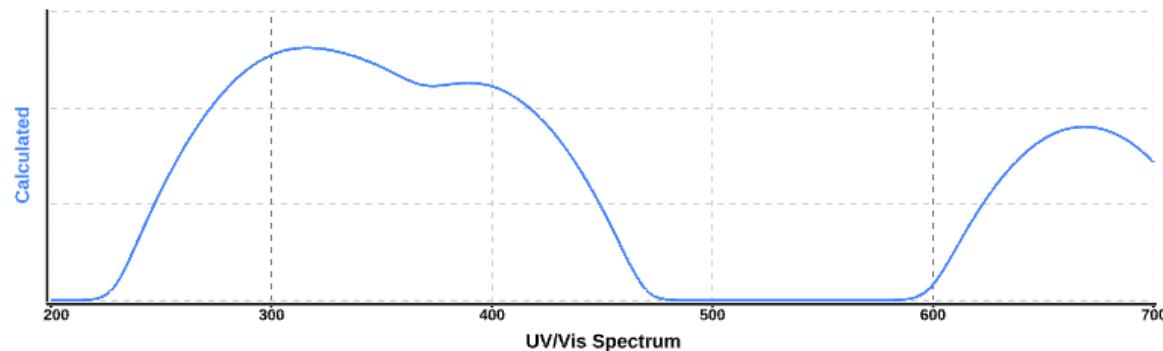


Figure 11. Absorption spectrum of DAN and NDI solution mixture. Excitation at 482 nm (2.57 eV) and CT around 667 nm (1.86 eV)



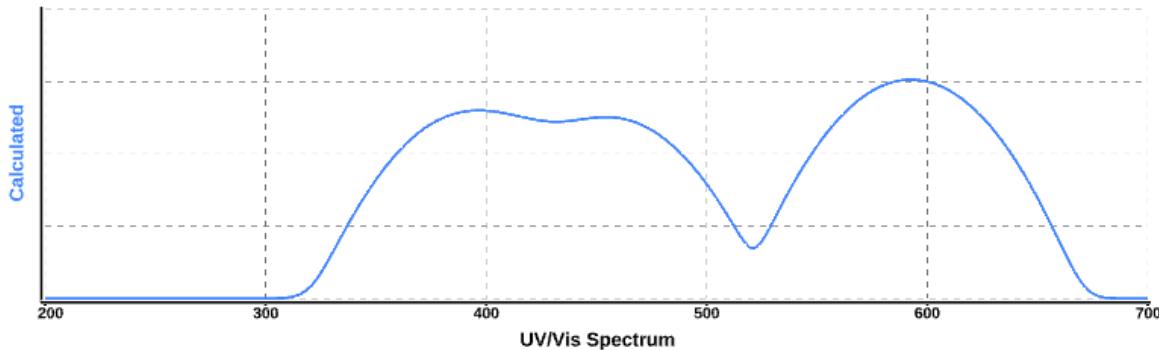


Figure 12. UV-Vis spectra of dimer calculated using the ω B97X-D functional (b), the CAM-B3LYP functional (c), and the B3LYP functional (d). The ω B97X-D functional provides a peak closest to 667 nm out of the three functionals.

Conclusion

The DFT study shows that the B3LYP functional produces HOMO-LUMO band gaps that match most closely with the band gap found experimentally in the absorption spectrum. The functionals for the dimer and trimer calculations produced results that are difficult to interpret with significant meaning. The dimer calculation with the CAM-B3LYP functional produced HOMO and LUMO energy levels with a band gap most closely matching the excitation energy in the experimental spectrum. Other functionals for the trimer calculations produced band gaps closely matching the CT energy level in the experimental spectrum. It is hard to know if the calculations are providing results that are meant to be of the excitation, the CT, or a mixture of the two. It is also worth noting that the literature suggests that the ω B97X-D produces the best results for donor acceptor systems^{6,7}, which was reflected in the UV-Vis study. Without more in depth knowledge about DFT methods, it is difficult to determine the best functional for the extended system. Additionally, the calculation designates specific HOMO and LUMO levels, but in the system, orbitals are much more complicated and undergo mixing.

II. Absorption Spectrum Simulations

Introduction

Although density functional theory provides information about the HOMO and LUMO gaps, stacking geometries, and excitation spectra of smaller systems, such as dimers and trimers of the DA system, more in-depth theory is necessary to understand the excitation and charge transfer properties of large-scale systems. Additionally, it would be useful to understand the polarization of the CT and exciton as shown in the polarized absorption spectrum found experimentally (Figure 13). Previous work has developed a model to simulate the absorption spectra of hybrid organic-inorganic perovskites, which feature a donor-acceptor energy coupling, which can be compared to the CT coupling in the DACLCs⁸. The basis set is created utilizing a 3rd nearest neighbor approach, meaning, if one chromophore in the chain is excited, the first, second, and third are approximated to be impacted by it. Then, the Hamiltonian is formed using this basis set. The researchers then changed parameters to fit an experimental excitation spectrum. Once they found a suitable fit, they were able to predict the spectra of different donors and acceptors⁸. This model can be shifted by moving to a model in which the nearest neighbor is the only one impacted by a charge transfer aspect (D+, A-).

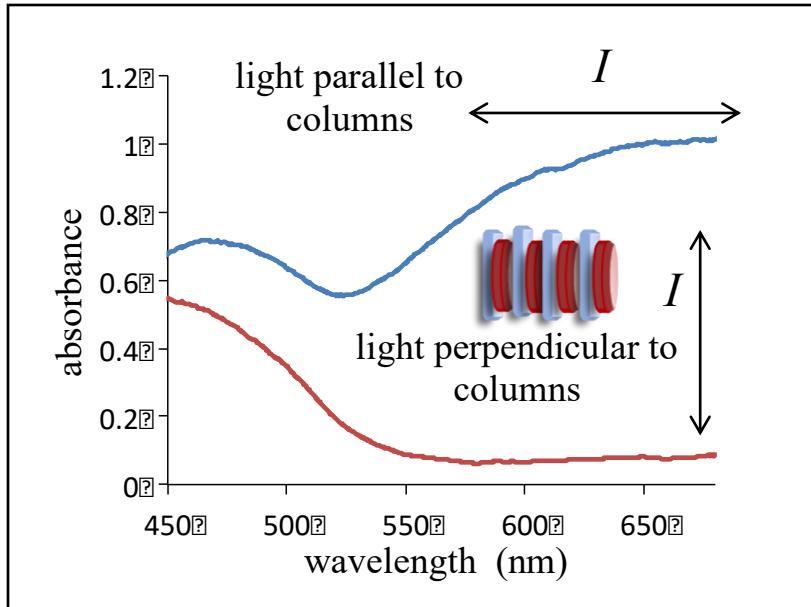


Figure 13. UV/Vis absorbance demonstrating CT dichroism of DACLC under LPL

Methods

The simple model is based on a Frenkel Exciton/CT Holstein model based on a linear array of donors and acceptors. An exciton is a delocalized excitation, where the excitation of one molecule induces the excitation of another fragment in the linear array, which in this simulation, the excitation can be delocalized as far as the third nearest neighbor. In a CT, an electron is actually transferred from the donor to the acceptor. The overall Hamiltonian operator is shown in Equation 3, with the \hat{H}' shown in Equation 3 and $\hat{H}^{(0)}$ is simply the monomer energy (donor excitation).

$$\hat{H} = \hat{H}^{(0)} + \hat{H}' \quad (3)$$

$$\hat{H}' = -E_{D^*}|g\rangle\langle g| + t \sum_{j=2,4,6,\dots}^{N_F} \{|g\rangle\langle j+1,j| + |g\rangle\langle j-1,j| + h.c.\} \quad (4)$$

In this equation, $-E_{D^*}$ is the energy of the donor excitation, found experimentally in the UV-Vis, g is the energy of the ground state, t is the coupling constant between the ground state of the donor and the CT state, j is the donor fragment that is undergoing the CT with acceptors

before and after it ($j-1, j+1$). The Hamiltonian operator can be put into matrix form and then diagonalized by finding the eigenvalues of the matrix, these steps can be found in Equation 5. The oscillator strength is another value of importance as it was found to be necessary for the calculation of the correctly polarized absorption spectrum as mentioned later. The equations for this calculation can be found in Appendix 1. The results of this equation are reflected by μ_A , μ_D , and μ_{CT} . Another part of this calculation are the delta values (Appendix 1). Once this computation is performed, the system of equations that relates the positions of each particle can be more easily solved for.

$$\mathbf{H}' = \begin{pmatrix} -E_g & t & t & t & t \\ t & -\Delta & 0 & 0 & 0 \\ t & 0 & -\Delta & 0 & 0 \\ t & 0 & 0 & -\Delta & 0 \\ t & 0 & 0 & 0 & -\Delta \end{pmatrix} \quad (5)$$

$$\det(\mathbf{H}' - a\mathbf{I}) = 0.0$$

$$(\Delta + a)^3(-(E_g + a)(\Delta + a) + 2t^2) = 0.0$$

$$a_{1,2} = \frac{1}{2} [-(E_g + \Delta) \pm \sqrt{(E_g + \Delta)^2 - 4(E_g\Delta - 2t^2)}]$$

$$a_{3,4,5} = -\Delta$$

There are several parameters in the code (Appendix 2) that are used to form the Hamiltonian operators for the exciton, CT, and ground state Hamiltonians. The connection of these parameters to the different CT states can be seen Figure 8. The main parameter that goes into the Hamiltonian operator in the J_{DA} term (JDA in the code). This represents the coupling between the donor and the acceptor, which means the coulombic interaction between the charges and allows the excitation to be a linear combination of all states. The operator for the CT state includes the energy when the donor is negatively charged and the acceptor is positively charged (wdnap in code, ΔEA in Figure), the energy when the donor is positively charged and the

acceptor is negatively charged (wdpan in code, ΔIP in Figure), and U-V (VMU in code). The wdnap parameter is found using DFT calculations (B3LYP, 6-311G**) by finding the differences in the HOMOs of the donor and acceptor. Additionally, the wdpan parameter is found by finding the difference in the LUMOs of the donor and acceptor. U-V is a positive quantity that shows two factors: first, U represents the binding energy of the exciton when the electron and hole are located on the same site second, V is the binding energy (energy of attraction) between the electron and hole that are on different sites; electron is on the nearest neighbor (acceptor). The quantity of U-V is always positive because the binding energy of the electron and hole when they are on the same side is always larger than when on different sides. Finally, the ground state Hamiltonian incorporates the coupling of the CT state to the ground state.

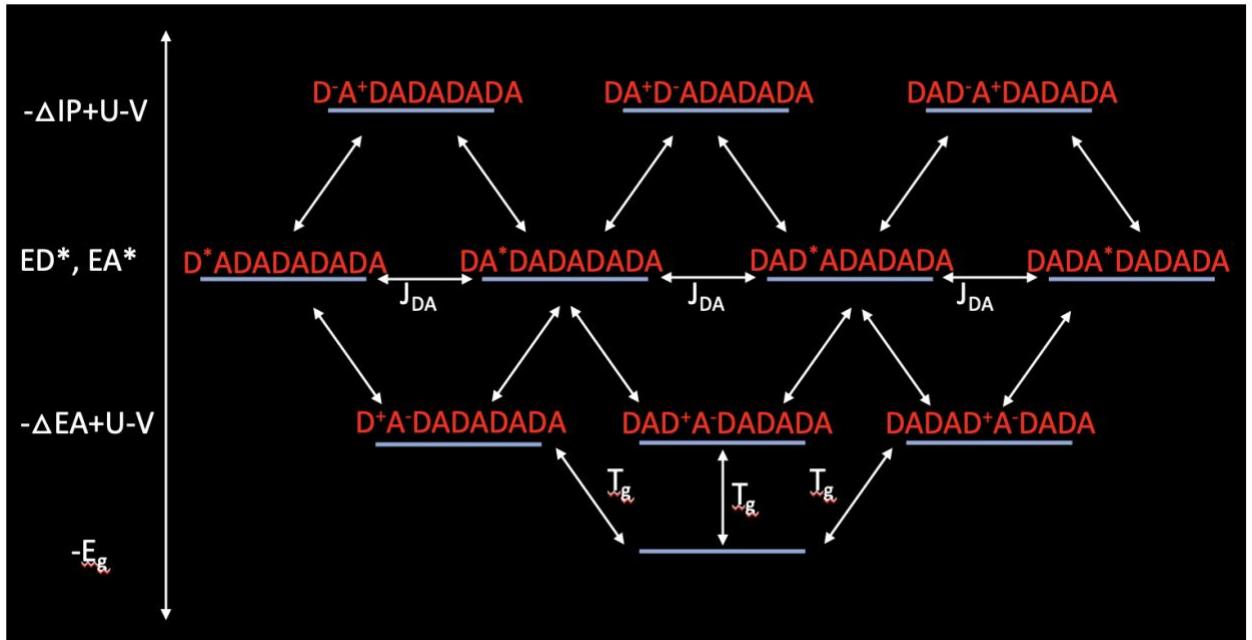


Figure 8. Schematic of simulated electronic states for DACLC in absorption spectrum. E_g corresponds to the monomer energy of the donor, ED^* and EA^* correspond to the excitation of the donor and acceptor, respectively. Excitation energies were found using Ocean Optics spectrophotometer. ΔEA corresponds to the difference in the HOMOs and ΔIP corresponds to the difference between the LUMOS of the donor and acceptor found using DFT with the ω B97X-D functional and the 6-311+G** basis set. J_{DA} and T_g were the coupling constants that

were found by fitting. Finally, U-V was a fitted parameter where U is the energy to separate e- and hole pair on the donor and V is the energy of attraction between electron on donor and hole on the acceptor. Fitted parameters in the Hamiltonian allowed finding the line of best fit for the experimental spectrum.

Other fitting parameters of note used in the code include the number of fragments (N), The linewidth of the lower energy peak (gam LE), the linewidth of the higher energy peak (gam HE), and the energy at which the splitting between the high energy and low energy peaks take place (wcut). The parameters gam LE and gam HE determine the intensity of the peaks in the spectrum. All values in the code are converted to cm⁻¹ in terms of the donor excitation energy. This is done by dividing a value in cm⁻¹ by 1400, setting the donor energy to zero (Ed*=0 in the code).

The code is run using the Terminal in Mac OSX using the gfortran, lapack, and blas packages. After the directory is set, the code is compiled (Line 1) and then run (Line 2).

```
gfortran DAGcopolymerVKS.f95 -o DAGcopolymerVKS -llapack -lblas (Line 1)
```

```
./DAGcopolymerVKS (Line 2)
```

Once the simulation parameters from the experimental spectra and DFT calculations were put into place, the simulation was run, and the fit was compared to the that found experimentally. Then, the other parameters were changed based on how they control the spectrum to get the best fit.

Results and Discussion

Using the Fortran code written by Mohammad Balooch Qarai, different parameters used in solving the Hamiltonian were changed to understand how they impacted the system. As the ground state energy is increased (Tg), the CT band, which starts red shifted from the exciton band, becomes blue shifted (Figure 9). As the ground state energy is increased, separation

between the orbitals is still maintained so the upper orbital resulting from the CT and ground mixing eventually passes the excited state of the donor (Figure 10). When increasing the U-V parameter, the gap between the exciton and the CT bands became smaller (Figure 11). As J_{DA} is increased, the exciton peak becomes blue shifted (Figure 12).

These parameters were some of the most important in forming numerically calculated UV-Vis spectra that matched the experimental spectrum (Figure 13, 14, 15). Additionally, these spectra when polarized show the expected polarization, with the lower energy being the x-polarized CT band, and the higher energy being the y-polarized exciton (Figure 8).

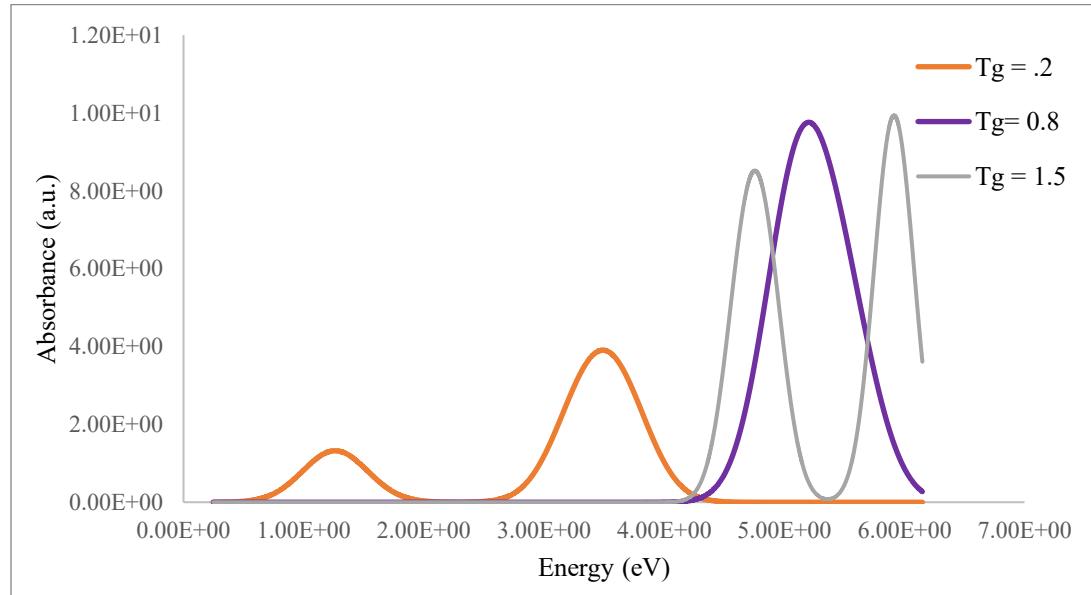


Figure 9. Absorbance as a function of energy at different ground state energies (Tg in eV).

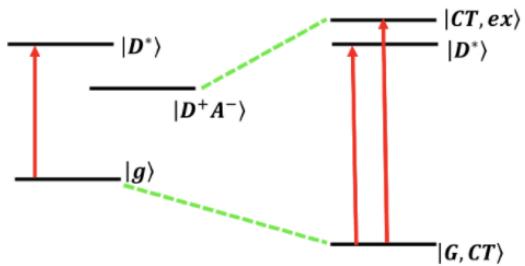
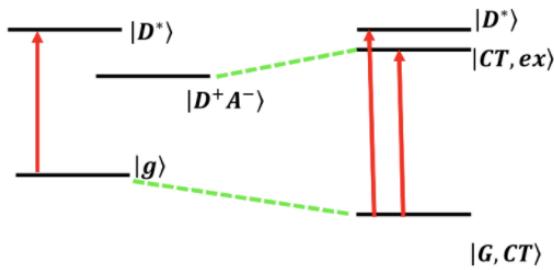


Figure 10. Representation of how changing the ground state energy impacts the CT band.
(Created by Mohammad Balooch Qarai)

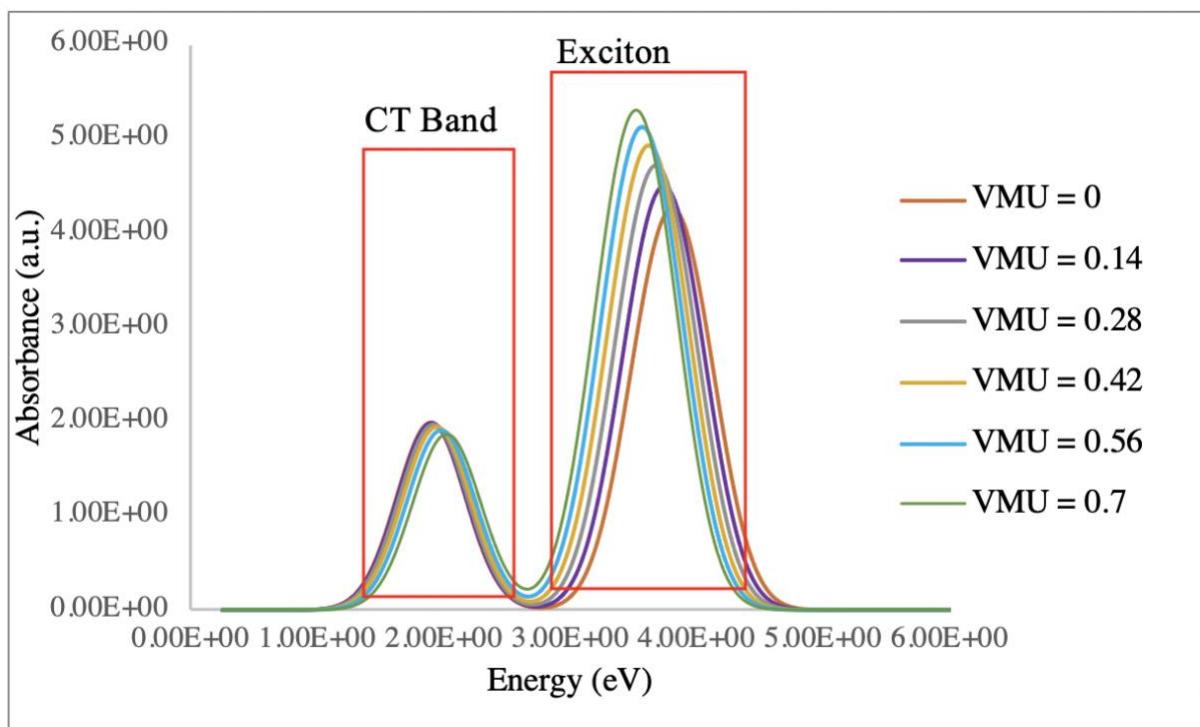


Figure 11. Energy as a function of absorbance at different values of U-V (eV)

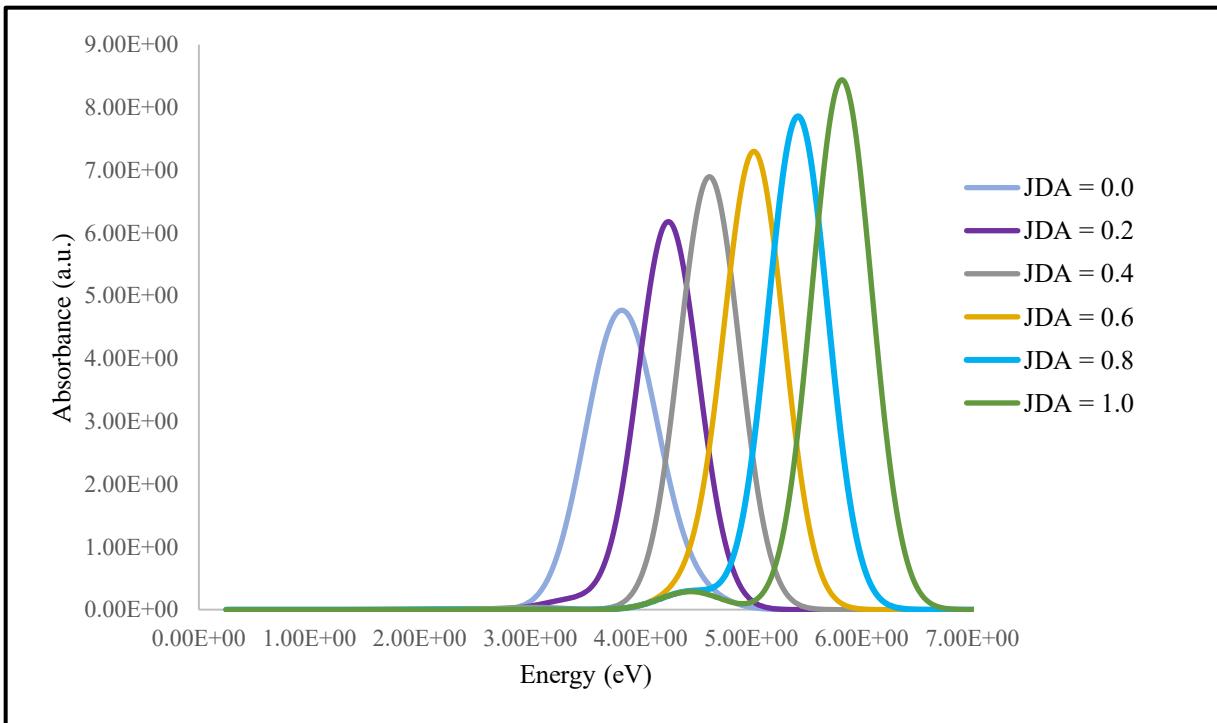


Figure 12. Energy as a function of absorbance at different values of J_{DA} (eV) with the CT at zero to better observe how it impacts the exciton peak.

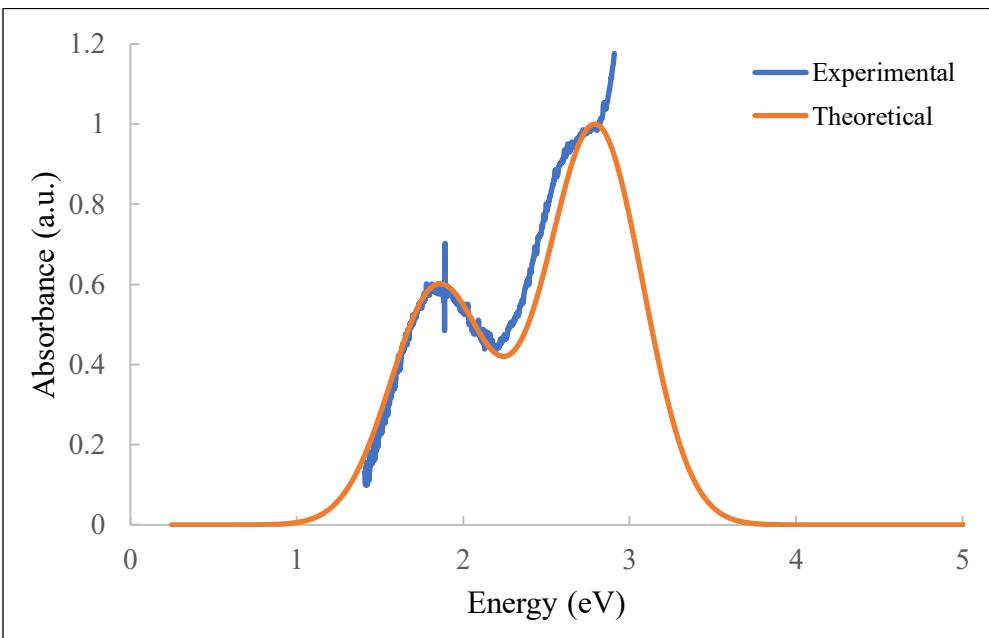


Figure 13. Energy as a function of absorbance from theoretical calculation and experimental result. Parameters used in the theoretical calculation are shown in Table 1.

Table 7. Parameters used in the simulated UV-Vis spectrum from Figure 5.

Parameters	Values
N	10
Vmax	0
DeltaIP (eV)	2
DeltaEA (eV)	3
U-V (eV)	1.39
Wvib (eV)	0.1736
ED* (eV)	0
EA*=ED*-x (eV)	x= -0.28
JDA (eV)	0.09
μ_A	1
μ_D	1
μ_{CT}	4.5
Tg (eV)	0.286
gam LE (eV)	0.39
gam HE (eV)	0.39
wcut (eV)	2.79
Monomer E	16000

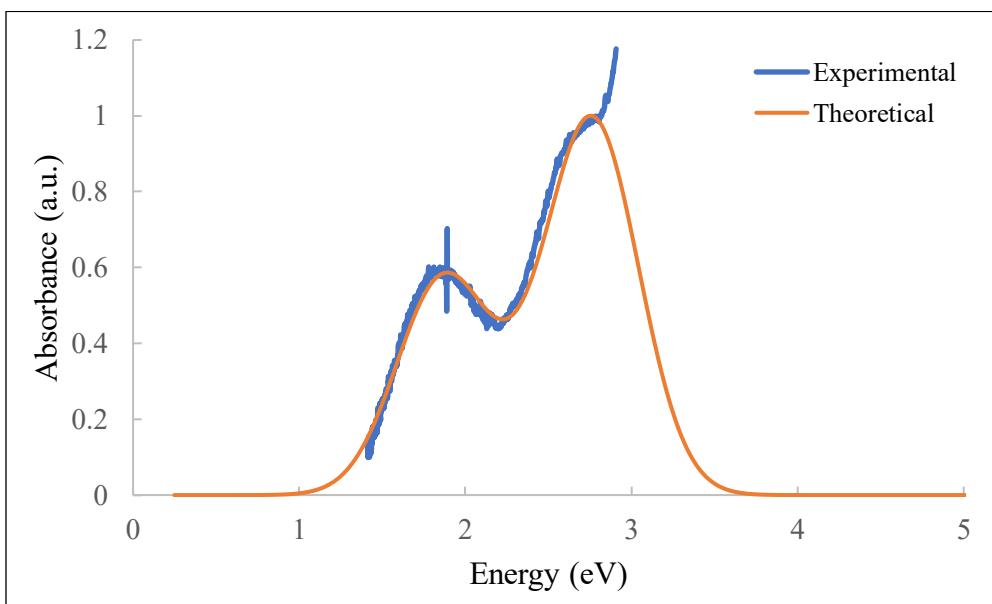


Figure 14. Energy as a function of absorbance from theoretical calculation and experimental result. Parameters used in the theoretical calculation are shown in Table 2.

Table 8. Parameters used in the simulated UV-Vis spectrum from Figure 6.

Parameters	Values
N	10
Vmax	0
DeltaIP (eV)	2
DeltaEA (eV)	3
VMU (eV)	1.48
Wvib (eV)	0.1736
ED* (eV)	0
EA*=ED* (eV)	-0.28
JDA (eV)	0.09
μ_A	1
μ_D	1
μ_CT	4.5
Tg (eV)	0.286
gam LE (eV)	0.39
gam HE (eV)	0.399
wcut (eV)	2.79
Monomer E	16000

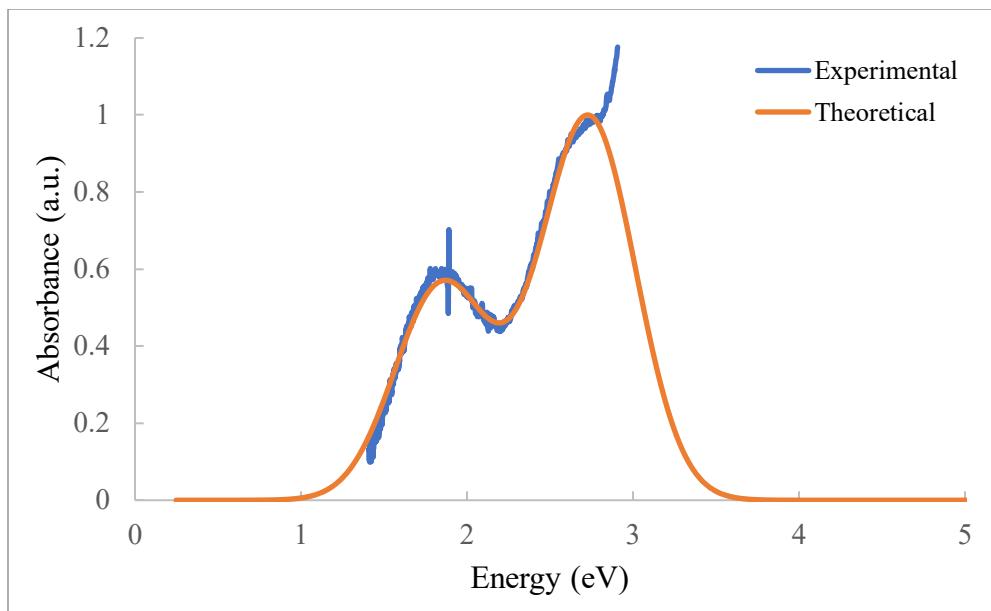


Figure 15. Energy as a function of absorbance from theoretical calculation and experimental result. Parameters used in the theoretical calculation are shown in Table 3.

Table 9. Parameters used in the simulated UV-Vis spectrum from Figure 7.

Parameters	Values
N	10
Vmax	0
DeltaIP (eV)	2
DeltaEA (eV)	3
VMU (eV)	1.48
Wvib (eV)	0.1736
ED* (eV)	0
EA*=ED* (eV)	-0.28
JDA (eV)	0.09
μ_A	1
μ_D	1
μ_{CT}	4.5
Tg (eV)	0.279
gam LE (eV)	0.39
gam HE (eV)	0.399
wcut (eV)	2.79
Monomer E	16000

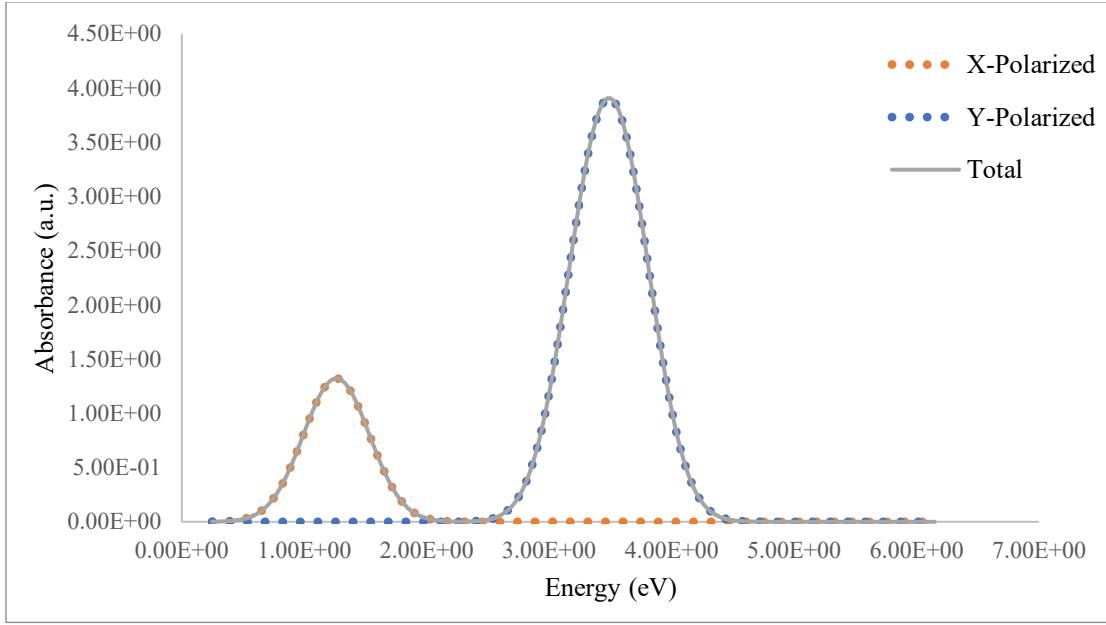


Figure 16. Energy as a function of absorbance from theoretical calculation. This shows that the lower energy is the x-polarized band and that the higher energy is the y-polarized band.

Conclusion

The results of this study produced incredibly well fittings of the experimental spectrum by manipulating the Hamiltonian operators of the different states. Results showed that the polarization of the CT was correctly predicted as shown in experiments. Additionally, the simulation produced results that informed our understanding of the orbital mixing in the donor acceptor pi delocalized system. Before adding the oscillator strength, allowing a coupling between the CT and ground state and adding the T_{ground} coupling constant, the simulation failed to produce results that allowed for the polarization of the CT band parallel to the stack, which has been shown to be true experimentally. This shows that there is orbital mixing between the ground state and the CT that was not previously known. The simulation also showed that the exciton peak is perpendicular to the donor-acceptor stack which has not yet been strongly supported by experiment. Further studies with polarized spectra must be done to confirm this. The simulation can be further explored by fitting the thin film spectra, rather than solution

spectra and also by modeling the absorption spectrum of other donor-acceptor fragments. Finally, this simulation can hopefully be used to shed further light on the electronics of the pi delocalized system in DACLCs and perhaps help to predict the opto-electronic properties of novel donor-acceptor pairings that have not yet been synthesized.

III. Future work: Thin film study

Preliminary results for modeling of the thin film of the NDI + DAN mixture are shown in Figure 17. Additionally, experimental solution spectra and DFT calculations were found for new fragments including Mellitic Triimide (Figure 18)¹² and Anthracene (Figure 20). Again, initial results are shown in Figures 19 and 21. After these initial studies were conducted, it was realized that the wrong functional was used for monomer calculations. Further study will be done after implementing the corrected DFT values using the B3LYP functional (Table).

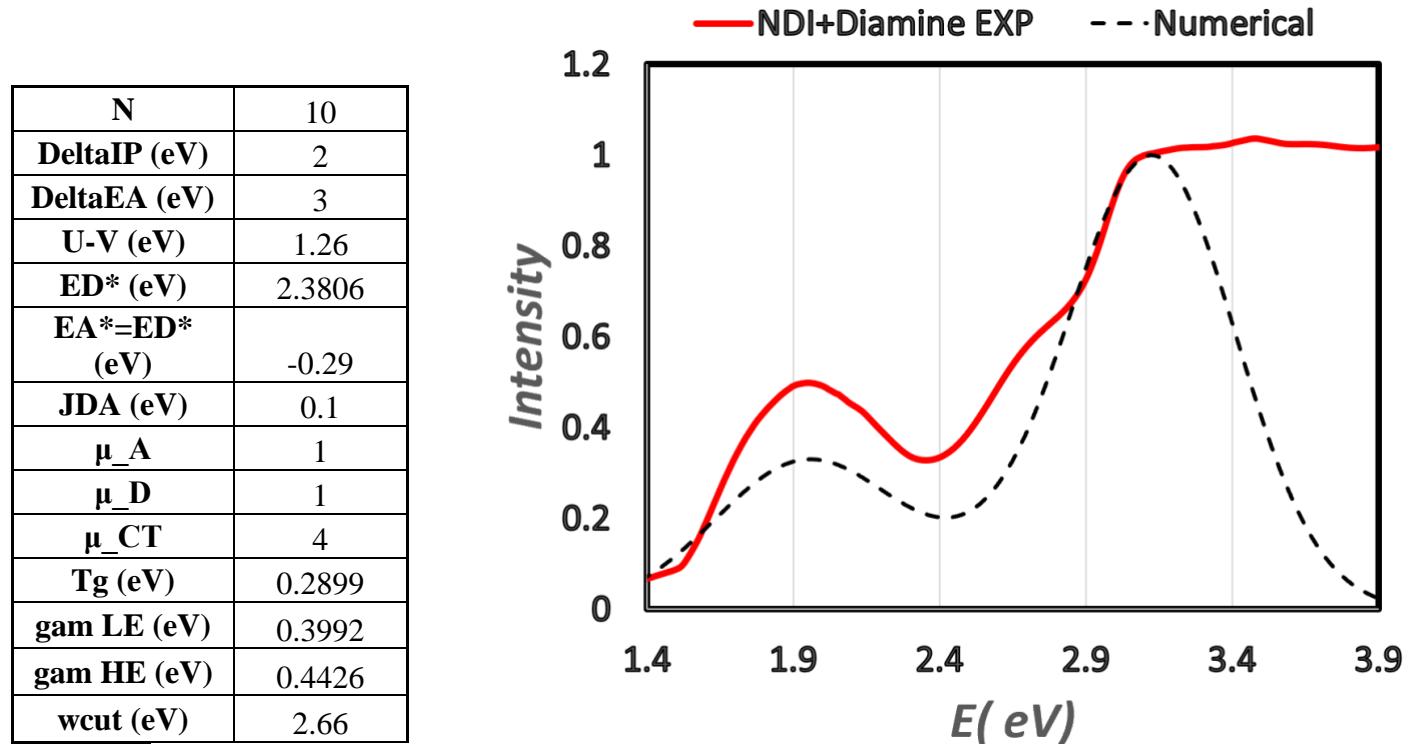
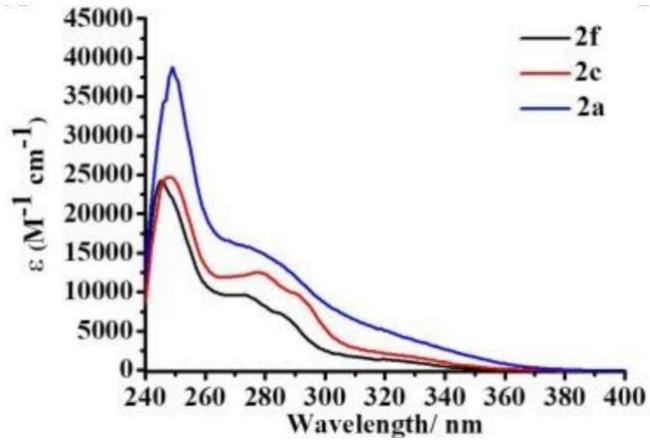
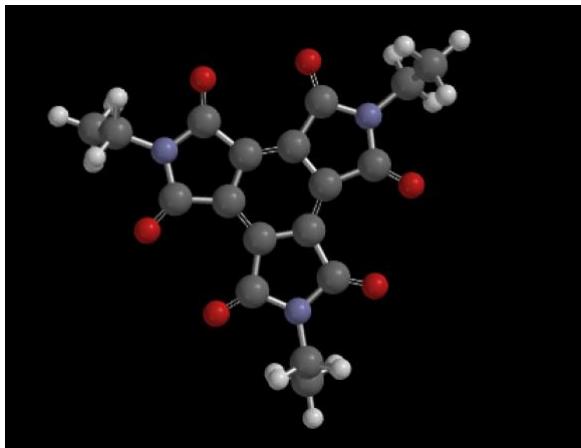


Figure 17. Numerical results (Left) of simulation for the NDI and DAN thin film absorption spectrum. Comparison of theoretical results (Numerical) with the experimental absorption spectrum.



Functional	Basis Set	HOMO (eV)	LUMO (eV)
ω B97-X	6-311+G**	-10.1	-1.8

Figure 18. MTI structure (Left) and MTI absorption spectrum (2c, 4.27 eV) (Right). DFT calculations of HOMO and LUMO orbitals (Bottom).

N	10
Vmax	0
DeltaIP (eV)	2.6
DeltaEA (eV)	3.1
U-V (eV)	1.26
ED* (eV)	1.8971
EA*=ED* (eV)+X	0.73
JDA (eV)	0.1
μ_A	1
μ_D	1
μ_{CT}	4
Tg (eV)	0.3177
gam LE (eV)	0.3992
gam HE (eV)	0.4426
wcut (eV)	2.66

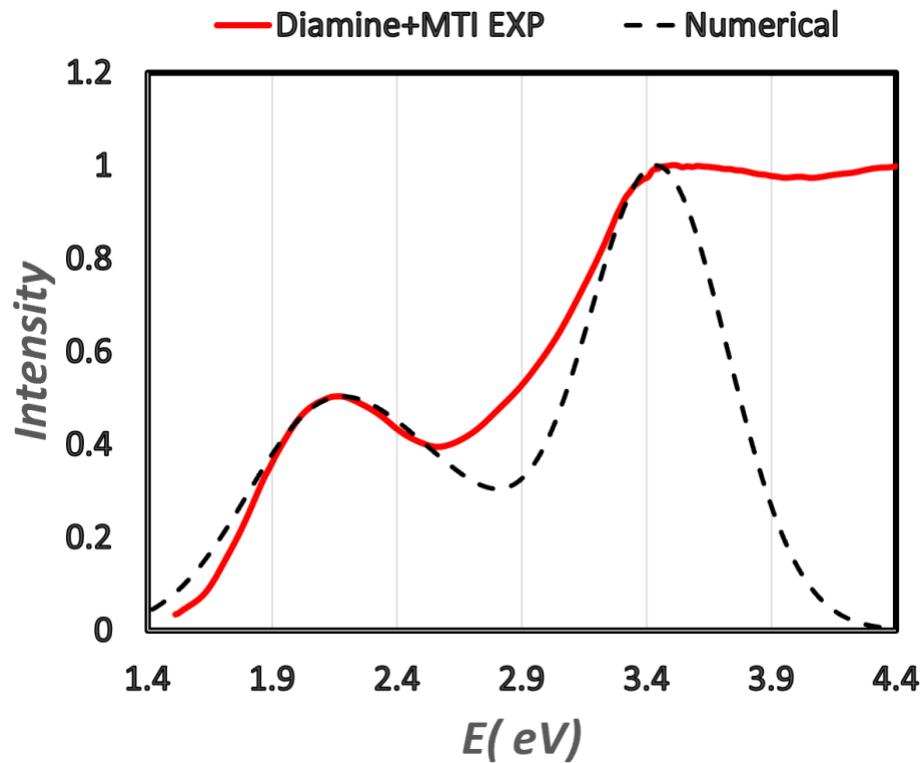


Figure 19. Numerical results (Left) of simulation for the MTI and DAN thin film absorption spectrum. Comparison of theoretical results (Numerical) with the experimental absorption spectrum.

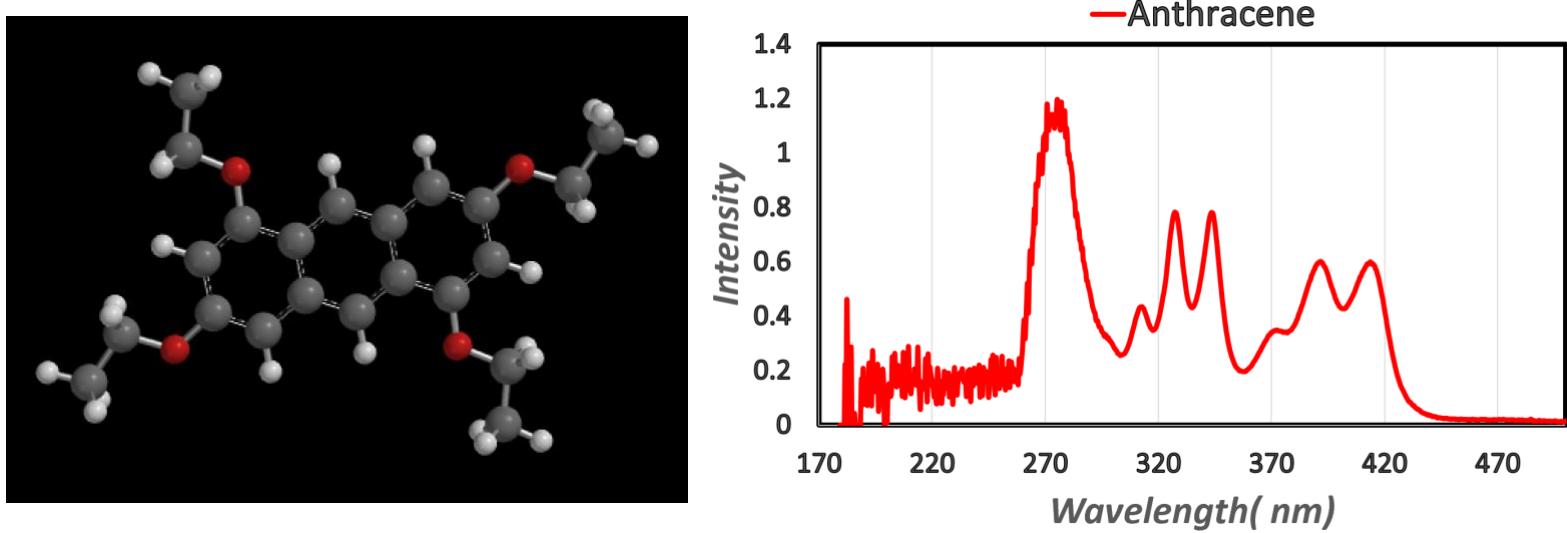


Figure 20. MTI structure (Left) and anthracene absorption spectrum (excitation at 3.0 eV) (Right). DFT calculations of HOMO and LUMO orbitals (Bottom).

N	10
Vmax	0
DeltaIP (eV)	2.6
DeltaEA (eV)	3.1
U-V (eV)	1.26
ED* (eV)	1.7731
EA*=ED* (eV)+X	0.25
JDA (eV)	0.1
μ_A	1
μ_D	1
μ_{CT}	4
Tg (eV)	0.3125
gam LE (eV)	0.2083
gam HE (eV)	0.4166
wcut (eV)	2.73

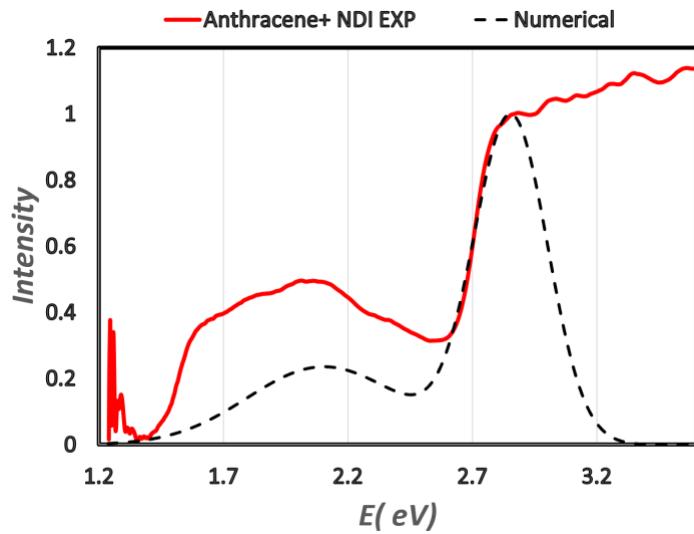


Figure 21. Numerical results (Left) of simulation for the NDI and anthracene thin film absorption spectrum. Comparison of theoretical results (Numerical) with the experimental absorption spectrum.

Table 10. HOMO and LUMO energy levels for MTI and anthracene.

Molecule	HOMO (eV)	LUMO (eV)
MTI	-7.9	-3.6
Anthracene	-4.7	-1.5

References

¹Leight, Katie R.; Esarey, Brooke E.; Murray, Alex E.; **Reczek, Joseph J.** “Modular and Predictable Tuning of Absorption Properties in Aromatic Donor-Acceptor Materials” *Chem. Mater.* **2012**, 24, 3318-3328.

²Blackburn, A. K.; Sue, A. C. H.; Shveyd, A. K.; Cao, D.; Tayi, A. Narayanan, A.; Rolczynski, B. S.; Szarko, J. M.; Bozdemir, O. A.; Wakabayashi, R.; Lehrman, J. A.; Kahr, B.; Chen, L. X.; Nassar, M. S.; Stupp, S. I.; Stoddart, J. F. Lock-Arm supramolecular ordering: A construction set for cocrystallizing organic charge transfer complexes *J. Am. Chem. Soc.* **2014**, 136, 17224-17235.

³Bachrach, S. M. *Computational Organic Chemistry*. Wiley. 2014, 2nd Edition.

⁴Woller, T.; Banerjee, A.; Sylvetsky, N.; Santra, G.; Deraet, X.; Proft, F. D.; Martin, J. M. L.; Alonso, M. Performance of electronic structure methods for the description of Huckel M^öbius interconversions in extended pi-systems. *J. Phys. Chem. A* **2020**, 124, 12, 2380-2397

⁵Chai, J.; Head-Gordon, M. Long-range corrected double-hybrid density functionals. *J. Chem. Phys.* **2009**, 131, 174105.

⁶Safia, H.; Ismahan, L.; Abdelkrim, G.; Mouna, C.; Leila, N.; Fatiha, M. Density functional theories study of the interactions between host β-Cyclodextrin and guest 8-Anilinonaphthalene-1-sulfonate: Molecular structure, HOMO, LUMO, NBO,. QTAIM,. And NMR analyses. *Journal of Molecular Liquids* **2019**, 280, 218-229.

⁷Shen, X.; Han, G.; Yi, Y. The nature of excited states in dipolar donor/fullerene complexes for organic solar cells: evolution with the donor stack size. *Physical Chemistry Chemical Physics* **2016**, 23, 15955-15963

⁸Janke, S. M.; Qarai, M. B.; Blum, V.; Spano, F. C. Frenkel-Holstein Hamiltonian applied to absorption spectra of quarterthiophene-based 2D hybrid organic-inorganic perovskites *J. Chem. Phys.* **2020**, 152, 144702.

⁹Ariana Gray Bé, Cheryl Tran, Riley Sechrist, and **Joseph J. Reczek**, Strongly dichroic organic films via controlled assembly of modular aromatic charge-transfer liquid crystals *Org. Lett.* **2015**, 17, 4834-4837.

¹⁰Hossen, T.; Sahu, K. Photo-induced electron transfer or proton-coupled electron transfer in methylbipyridine/phenol complexes: a time-dependent density function theory investigation *J. Phys. Chem. A* **2019**, 123, 8122-8129.

¹¹Tuo, De-Hui, et al. "Benzene Triimides: Facile Synthesis and Self-Assembly Study." *Chinese Journal of Chemistry* **2019**, 37.7, 684-688.

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Appendix 1

Oscillator strength:

$$\hat{\mu} = \sum_{j=2,4,6,\dots}^{N_F} \{ \vec{\mu}_D |g\rangle\langle j-1| + \vec{\mu}_A |g\rangle\langle j| + \vec{\mu}_{D^+A^-} \{|j+1,j\rangle\langle j+1,j| + |j-1,j\rangle\langle j-1,j|\} + h.c. \}$$

Ground state:

$$|\psi_1\rangle = C_1^{(1)} |g, 0; g, 0; \dots; g, 0\rangle + \sum_{all \ M.P.BS} C_{M.P.S}^{(1)} |M.P.BS\rangle$$

$$|\psi_{\delta>1}\rangle = C_1^{(\delta)} |g, 0; g, 0; \dots; g, 0\rangle + \sum_{all \ M.P.BS} C_{M.P.S}^{(\delta)} |M.P.BS\rangle$$

$$\langle \psi_1 | \hat{\mu} | \psi_{\delta>1} \rangle = \sum_{1PE} C_1^{(1)} C_{1PE}^{(\delta)} \mu_n \langle 0 | \tilde{v} \rangle + \sum_{1PE} C_{1PE}^{(1)} C_1^{(\delta)} \mu_n \langle 0 | \tilde{v} \rangle + \sum_{1PE} C_{1PE}^{(1)} C_{1PE}^{(\delta)} \mu_n$$

$$+ \sum_{CTnn} C_{D^+A^-}^{(1)} C_{D^+A^-}^{(\delta)} \mu_{D^+A^-}$$

Delta function:

$$\delta E_{CT}(t) = a_2 - a_1 = \sqrt{(E_g + \Delta)^2 - 4(E_g \Delta - 2t^2)}$$

$$\delta E_{D^*}(t) = 0.0 - a_1 = \frac{1}{2}(E_g + \Delta) + \frac{1}{2}\sqrt{(E_g + \Delta)^2 - 4(E_g \Delta - 2t^2)}$$

$$E_g = 17.0; \Delta = 5.7607$$

Appendix 2

Code is also found in a separate file on the Google Drive

```
!Copolymer code works; March 25, 2020 (started writing on Feb 29, 2020) !
!----- specify #Maximum Quanta-----!
Module common_variables
    implicit none
    Character                                         :: Answer
    Double Precision                               :: dw, w, dt, wavenumber,
wavelength, AbmaxX, AbmaxY, DeltaEps, weV
    Double Precision                               :: Abmaxtot, Fmax
    Double Precision, parameter                   :: t=4.5      !time!
    Double Precision, External       :: FC
    Double Precision, EXTERNAL      :: Repulsion
    Double Precision, EXTERNAL      :: Dopant
    Double Precision, EXTERNAL      :: EnergyCT
    Double Precision, EXTERNAL      :: Tefunction
    Double Precision, EXTERNAL      :: Thfunction
    Double Precision, EXTERNAL      :: Jfunction
    Double Precision, EXTERNAL      :: Dipoles
    !Double Precision, External     :: disorder_table
    Double Precision                  :: lambP, lambN, lambEP, lambEN, NPROB,
rand1, rand2, rand1N, rand2N
    Double Precision                  :: randR, theta, rand1Nnew, Meandist,
difference
    integer :: i1, j1, i2, j2, f1, f2, i11, j11, i22, j22, i, j, vp1, vn1,
vp2, vn2, neh, f11, f22
    integer :: i3, i33, j3, j33, v3, v33, x3, kount5, kount4, kount3, vp11,
vn11, vp22, vn22
    integer :: x4, v4, x5
    integer :: INFO, LWORK, kount1, kount2, x1, x2, t1, v1, v2, v11, v22,
Kbase, configuration
    integer :: whole
    Double precision                           :: wholeEl,
wholemean, wholedif, standD, wholePmax
    Double precision                           :: DelJTintra,
DelJTinter
    integer, parameter                         :: Realization = 1000           !realization!
    integer, parameter                         :: N = 10
    integer, parameter                         :: Cell = 1
    integer, parameter                         :: vibmax = 0
    integer, parameter                         :: vibmaxT = 0
    integer, parameter                         :: B1 =
N*(vibmax+1) !1PE states!
    integer, parameter                         :: B2 = (N*(N-
1)*vibmax*(vibmax+1))/2 !2PE states!
```

```

integer, parameter :: B3 =
(N)*(vibmax+1)*(vibmax+2)      !CTn.n states!
integer, parameter :: B4 = ((N-
2)*vibmaxT*(vibmaxT+1)*(vibmaxT+2))/3      !CTn.nvib states!
integer, parameter :: B5 = ((N-
2)*(2*N-3)*vibmax*(vibmax-1)*(2*vibmax+2))/12      !3PE states!
integer, parameter :: B =
(B1+B2+B3+B4+B5)
integer, parameter :: LDA = B
integer, parameter :: Z= 10000
integer, parameter :: y= 10
Double Precision :: beta = 2.35d0
Double Precision :: sigma = 0.5
Double Precision :: randmean = 0.0
Double Precision :: distance =
2.1d0
Double Precision :: danion = 4.1d0
Double Precision :: lamb = 0.0d0
Double Precision :: Sfactor = 1.0
Double Precision, parameter :: VMU = 2.88
Double Precision :: wdstar = 0.0
Double Precision :: wastar = -1.959
Double Precision :: wdnap = 14.98
Double Precision, parameter :: wdpan = -13.83
!Double Precision :: wdndp = 0.0
Double Precision, parameter :: monomer_E =
21000.d0
Double Precision, parameter :: wcm = 1400.0d0
Double Precision, parameter :: Etha = 0.0
!ionicity coefficient!
Double Precision :: wGround = -
(((monomer_E/wcm)*(1.0-Etha))-((-wdpan-VMU)*Etha))
Double Precision, parameter :: MuAInitial =
1.0
Double Precision :: MuD = 1.0
Double Precision, parameter :: MuA = 1.0
Double Precision :: MuCT = 4.5
!It is along x-axis which is the pi-stack axis! Exciton TDMs are along y
axis!
Double Precision :: Angle = 0.0
!Angle between dipoles in degree! MuD is considered along y-axis!
Double Precision :: Alfadegree =
180.0           !it is a constant to convert from degree to radin!
!Double Precision :: Teinter = 2.46
!Double Precision :: Thinter = 2.46
Double Precision :: Tground = 1.6
Double Precision :: Teintra = 0.0
Double Precision :: Thintra = 0.0
Double Precision, parameter :: JDAInitial =
0.40
Double Precision :: JDA =
(MuA/MuAInitial)*JDAInitial
Double Precision, parameter :: JDD = 0.0
Double Precision :: JAA = 0.0

```

```

Double Precision :: D = 0.0
Double Precision :: wvib = 1.0
Double Precision :: Wmin = 2000.0
!for wavenumber!
Double Precision :: Wmax = 49600.0
! for wavenumber!
Double Precision :: Wcut =
19506.590 ! for wavenumber!
!Double Precision :: Wmin = 0.0d0
!Double Precision :: Wmax = 15.0d0
Double Precision :: gamLE = 2.26
Double Precision :: gamHE = 2.28
Real, parameter :: PI = 3.1415927
complex*16, parameter :: XJ =
(0.d0,1.d0)
Double Precision, dimension(:,:,:), allocatable :: H,
HS, OLH1, OLH2, HX, HY
Double Precision, dimension(:,:,:), allocatable :: :
HSLL, HSLS, HSSL, HSSS
Double Precision, dimension(:,:,:), allocatable :: :
HLLOff, HLSOff, HSSOff, HSLOff
Double Precision, dimension(:,:,:,:), allocatable :: :
disorder_elements, wholeP
Double Precision, dimension(:,:,:), allocatable :: :
H1PE, H2PE, H3PE, HCTnn, HCTnnv
Double Precision, dimension(:,:,:), allocatable :: :
OL1CT2P, OL22PCT, OL1CT1P, OL21PCT
Double Precision, dimension(:,:,:), allocatable :: :
OL1CTV2P, OL22PCTV, OL1CTV3P, OL23PCTV
Double Precision, dimension(:,:,:), allocatable :: :
OL1CTVCT, OL2CTCTV, OL12P1P, OL21P2P
Double Precision, dimension(:,:,:), allocatable :: :
OL13P2P, OL22P3P
Integer, dimension(:,:,:,:), allocatable :: indx1
Integer, dimension(:,:,:,:,:), allocatable :: indx2
Integer, dimension(:,:,:,:,:,:), allocatable :: indx3
Integer, dimension(:,:,:,:,:,:,:), allocatable :: indx4
Integer, dimension(:,:,:,:,:,:,:,:), allocatable :: indx5
Double Precision, dimension(:), allocatable :: WORK, OS, Freq,
AbX, AbY, Abtot
Double Precision, dimension(:,:,:), allocatable :: LSX, LSY
Double Precision, dimension(:), allocatable :: nA, nD1, nD2,
SummX, SummY, FX, FY
Double Precision, dimension(:), allocatable :: COF1PE, COF2PE,
COFCTnn, COFCTnnv, COF3PE
Double Precision, dimension(:), allocatable :: COFDpAm,
HGround
Real(kind=8), dimension(:), allocatable :: Eign
!-----disorderTable-----
----!
integer :: Vx, Vy
!Double Precision :: rand
!Double Precision :: dlarnd
!External :: dlarnd

```

```

integer :: config
!integer, parameter :: idist = 3
!integer :: 
iseed(4)=(/47,3093,1041,77/)
!-----External Subroutines-----
-----!
EXTERNAL DSYEV
EXTERNAL PRINT_MATRIX
!EXTERNAL disorder_table
!-----Logical Parameters-----
-----!
logical :: LSDiagonal = .true.
logical :: SLDiagonal = .true.
logical :: SSDiagonal = .true.
logical :: LLOffDiagonal = .true.
logical :: LSOffDiagonal = .true.
logical :: SLOffDiagonal = .true.
logical :: SSOFFDiagonal = .true.
!-----Intrinsic Functions-----
-----!
Intrinsic INT, MIN
!-----
-----!
end module common_variables
!-----Start the main program-----
-----!
Program Copolymer
use common_variables
Implicit none

!-----Start Executive part-----
-----!
dw = (Wmax - Wmin)/(Z-1)

lambP = sqrt(0.5)*lamb !Ground neutral to Excited Cation!
lambN = sqrt(0.5)*lamb !!Ground neutral to Excited Anion!
lambEP = lamb - lambP !Excited Frenkel to Excited Cation!
lambEN = lamb - lambN !Excited Frenkel to Excited Anion!

allocate(H(B+1,B+1))
allocate(HX(B,B))
allocate(HY(B,B))
!allocate(disorder_elements(Realization,N,N))
!allocate(wholeP(Realization,N,N))
allocate(OL1CT1P(B3,B1), OL21PCT(B1,B3))
allocate(OL12P1P(B2,B1), OL21P2P(B1,B2))
allocate(OL13P2P(B5,B2), OL22P3P(B2,B5))
allocate(OL1CT2P(B3,B2), OL22PCT(B2,B3))
allocate(OL1CTV2P(B4,B2), OL22PCTV(B2,B4))
allocate(OL1CTV3P(B4,B5), OL23PCTV(B5,B4))
allocate(OL1CTVCT(B4,B3), OL2CTCTV(B3,B4))
!allocate(HSLL(B,B), HSLS(B,B), HSSL(B,B), HSSS(B,B))
!allocate(HLLOff(B,B), HLSOff(B,B), HSSOff(B,B), HSLOff(B,B))

```

```

allocate(indx1(N,vibmax+1))
allocate(H1PE(B1,B1), H2PE(B2,B2), HCTnn(B3,B3), HCTnnv(B4,B4),
H3PE(B5,B5))
allocate(indx2(N,vibmax,N,vibmax))
allocate(indx3(N,vibmax+1,N,vibmax+1))
allocate(indx4(N,vibmaxT,N,vibmaxT,N,vibmaxT))
allocate(indx5(N,vibmax-1,N,vibmax-1,N,vibmax-1))
allocate(HS(B+1,B+1), Eign(B+1), SummX(B), SummY(B), FX(B), FY(B),
Freq(B), OS(B-1), LSX(Z,B), LSY(Z,B))
allocate(nA(Cell), nD1(Cell), nD2(Cell), AbX(Z), AbY(Z), Abtot(Z),
HGround(B3))
allocate(COF1PE(B+1), COF2PE(B+1), COFCTnn(B+1), COFCTnnv(B+1),
COF3PE(B+1), COFDpAm(B+1))
!-----HR factor for cation and anion relative to
S0 and S1-----!

!-----
-----!
!-----Form the disorder table-----
-----!
call disorder_table()

!-----Coordinate table for DAD units-----
-----
do i1 = 1,Cell
  nA(i1) = 3*i1-1
  nD1(i1) = 3*i1-2
  nD2(i1) = 3*i1
end do

print *, 'JDA=',JDA, ''
print *, 'wGround=',wGround, ''
!-----
-----!
print *, 'Now Hamiltonian will be formed'
!-----Formation of Hamiltonian-----
----!
!-----Index-----
-----!
!-----1PE index-----
kount1 = 0
do i1 =1,N
  do j1 =1,(vibmax+1)
    v1 = j1 - 1
    kount1 = kount1 + 1
    indx1(i1,j1) = kount1
    !print *, 'index <',i1,'/',i2,'> and
<',v1,'/',v2,'> is ',indx1(i1,j1,i2,j2),''
    end do
  end do
  print *, 'kount1=',kount1,''
!-----Formation of the 1PE Hamiltonian-----
----!
t1 = 0

```

```

do i1 =1,N
do j1 =1, (vibmax+1)
  v1 = j1 - 1
  x1 = indx1(i1,j1)
  do i11 =1,N
    do j11 =1, (vibmax+1)
      v11 = j11 - 1
      x2 = indx1(i11,j11)
      if (x2.eq.x1) then
        if (MOD(i1,2).eq.0) then
          H1PE(x1,x2) = (wastar + D) +
(wvib* (v1*1.0))
        else
          H1PE(x1,x2) = (wdstar + D) +
(wvib* (v1*1.0))
        end if
      else if ((iabs(i11-i1)==1).or.(iabs(i11-
i1)==N-1).or.(iabs(i11-i1)==2)) then !for Periodic!
        !else if (iabs(i11-i1)==1) then !
for open!
          H1PE(x1,x2) =
Jfunction(i1,i11,JDA,JDD,JAA,N)*FC(t1,v1,lamb)*FC(t1,v11,lamb)
          else
            H1PE(x1,x2) = 0.0
          end if
        end do
      end do
    end do
  end do
!  print *, 'here is H1PE'
!do x1 = 1,B1
  !  write(*,59) (H1PE(x1,x2), x2=1,B1)

  !  end do
  !  59           format (8f9.4)
!-----2PE index-----
----!
kount2 = 0
do i1 =1,N
  do j1 =1,vibmax
    v1 = j1 - 1
    do i2=1,N
      if (i2.eq.i1) cycle
      do j2 =1,vibmax
        v2 = j2
        if ((v1+v2)>vibmax) cycle
          kount2 = kount2 + 1
          indx2(i1,j1,i2,j2) = kount2
          !  print *, indx2(i1,j1,i2,j2,i3,j3)
        end do
      end do
    end do
  end do
print *, 'kount2=',kount2,''

```

```

print *, 'TEST'
!-----Formation of 2PE Hamiltonian-----
-!
!-----
----!
      t1 = 0
      do i1 =1,N
          do j1 =1,vibmax
              v1 = j1 - 1
          do i2=1,N
              if (i2.eq.i1) cycle
              do j2 =1,vibmax
                  v2 = j2
                  if ((v1+v2)>vibmax) cycle
                      x1 = indx2(i1,j1,i2,j2)
                  do i11 =1,N
                      do j11 =1,vibmax
                          v11 = j11 - 1
                      do i22=1,N
                          if (i22.eq.i11) cycle
                          do j22 =1,vibmax
                              v22 = j22
                              if ((v11+v22)>vibmax) cycle
                                  x2 = indx2(i11,j11,i22,j22)

      if (x2.eq.x1) then
          if (MOD(i1,2).eq.0) then
              H2PE(x1,x2) = (wastar + D) + (wvib*(v1*1.0 + v2*1.0))
          else
              H2PE(x1,x2) = (wdstar + D) + (wvib*(v1*1.0 + v2*1.0))
          end if
          else if ((iabs(i11-i1)==1).or.(iabs(i11-i1)==N-1).or.(iabs(i11-i1)==2)) then      !for periodic!
              !else if (iabs(i11-i1)==1) then           !for open!
                  if ((i22==i2).and.(v22==v2)) then
                      H2PE(x1,x2) =
Jfunction(i1,i11,JDA,JDD,JAA,N)*FC(t1,v1,lamb)*FC(t1,v11,lamb)
                  else if ((i22==i1).and.(i11==i2)) then
                      H2PE(x1,x2) =
Jfunction(i1,i11,JDA,JDD,JAA,N)*FC(v22,v1,lamb)*FC(v2,v11,lamb)

                  else
                      H2PE(x1,x2) = 0.0
                  end if
              else
                  H2PE(x1,x2) = 0.0
              end if
                  end do
                  end do
                  end do
                  end do
                  end do
                  end do
              end do
          end do
      end do
  end do
end do

```

```

print *, 'TEST2'
    !print *, 'here is H2PE'
    !do x1 = 1,B2
        !write(*,64) (H2PE(x1,x2), x2=1,B2)

    !end do
    !64          format (18f9.4)
!-----
-----!
!-----3PE index-----
-----!
kount5 = 0
do i1 =1,N
    do j1 =1,(vibmax-1)
        v1 = j1 - 1
    do i2=1,N
        if (i2.eq.i1) cycle
        do j2 =1,(vibmax-1)
            v2 = j2
            do i3=1,N
                !if ((i3.eq.i2).and.(i3.eq.i1)) cycle
                if ((i3.LE.i2)) cycle
                if ((i3.eq.i1)) cycle
!if (((iabs(i3-i1).ne.1).or.(iabs(i3-i1).ne.N-1)).and.((iabs(i2-
i1).ne.1).or.(iabs(i2-i1).ne.N-1))) cycle
!if ((iabs(i3-i1).EQ.1).or.(iabs(i3-i1).EQ.N-1).or.(iabs(i2-
i1).EQ.1).or.(iabs(i2-i1).EQ.N-1)) then
if ((iabs(i3-i1).EQ.1).or.(iabs(i2-i1).EQ.1)) then
    do j3 =1,(vibmax-1)
        v3 = j3
        if ((v1+v2+v3)>vibmax) cycle
            kount5 = kount5 + 1
            indx5(i1,j1,i2,j2,i3,j3) = kount5
            !print *, indx5(i1,j1,i2,j2,i3,j3)
            !print *, 'index
<',i1,'/',i2,'/',i3,'/',v1,'/',v2,'/',v3,'> is
',indx5(i1,j1,i2,j2,i3,j3),''
            end do
        end if
        end do
    end do
    end do
end do
print *, 'kount5=',kount5,''

!-----Formation of 3PE
Hamiltonian-----
t1 = 0
do i1 =1,N
    do j1 =1,(vibmax-1)
        v1 = j1 - 1
    do i2=1,N
        if (i2.eq.i1) cycle

```

```

        do j2 =1, (vibmax-1)
          v2 = j2
          do i3=1,N
            if ((i3.LE.i2)) cycle
            if ((i3.eq.i1)) cycle
        if ((iabs(i3-i1).EQ.1).or.(iabs(i2-i1).EQ.1)) then
          do j3 =1, (vibmax-1)
            v3 = j3
            if ((v1+v2+v3)>vibmax) cycle
            x1 = indx5(i1,j1,i2,j2,i3,j3)
            do i11 =1,N
              do j11 =1, (vibmax-1)
                v11 = j11 - 1
              do i22=1,N
                if (i22.eq.i11) cycle
                do j22 =1, (vibmax-1)
                  v22 = j22
                  do i33=1,N
                    if ((i33.LE.i22)) cycle
                    if ((i33.eq.i11)) cycle
        if ((iabs(i33-i11).EQ.1).or.(iabs(i22-i11).EQ.1)) then
          do j33 =1, (vibmax-1)
            v33 = j33
            if ((v11+v22+v33)>vibmax) cycle
            x2 = indx5(i11,j11,i22,j22,i33,j33)
            if (x2.eq.x1) then
              if (MOD(i1,2).eq.0) then
                H3PE(x1,x2) = (wastar + D) +
(wvib*(v1*1.0 + v2*1.0 + v3*1.0))
              else
                H3PE(x1,x2) = (wdstar + D) +
(wvib*(v1*1.0 + v2*1.0 + v3*1.0))
            end if
            else if ((iabs(i11-i1)==1).or.(iabs(i11-i1)==N-1).or.(iabs(i11-i1)==2)) then      !for
periodic!
              !else if (iabs(i11-i1)==1) then
!for open!
              if
((i11==i2).and.(i22==i1).and.(i33==i3).and.(v33==v3)) then
                H3PE(x1,x2) =
Jfunction(i1,i11,JDA,JDD,JAA,N)*FC(v2,v11,lamb)*FC(v22,v1,lamb)
              else if
((i11==i2).and.(i33==i1).and.(i22==i3).and.(v22==v3)) then
                H3PE(x1,x2) =
Jfunction(i1,i11,JDA,JDD,JAA,N)*FC(v2,v11,lamb)*FC(v33,v1,lamb)
              else if
((i11==i3).and.(i22==i1).and.(i33==i2).and.(v33==v2)) then
                H3PE(x1,x2) =
Jfunction(i1,i11,JDA,JDD,JAA,N)*FC(v3,v11,lamb)*FC(v22,v1,lamb)
              else if
((i11==i3).and.(i33==i1).and.(i22==i2).and.(v22==v2)) then
                H3PE(x1,x2) =
Jfunction(i1,i11,JDA,JDD,JAA,N)*FC(v3,v11,lamb)*FC(v33,v1,lamb)

```



```

        end do
    end do
end do
print *, 'kount3=',kount3,''
!-----Formation of CTnn-----
-----!
t1 = 0
do i1=1,N
    do j1=1,(vibmax+1)
        vp1 = j1 - 1
        do i2=1,N
            if (i2==i1) cycle
            if ((iabs(i2-i1).EQ.1).or.(iabs(i2-i1).EQ.N-1))
then
    do j2=1,(vibmax+1)
        vn2 = j2 - 1
        if ((vp1+vn2)>vibmax) cycle
        x1 = indx3(i1,j1,i2,j2)
        !print *, 'indexX1
<',i1,'/',vp1,'/',i2,'/',vn2,'>'
        !print *, 'x1=',x1,''
        do i11=1,N
            do j11=1,(vibmax+1)
                vp11 = j11 - 1
                do i22=1,N
                    if (i22==i11) cycle
                    if ((iabs(i22-i11).EQ.1).or.(iabs(i22-
i11).EQ.N-1)) then
                        do j22=1,(vibmax+1)
                            vn22 = j22 - 1
                            if ((vp11+vn22)>vibmax) cycle
                            x2 = indx3(i11,j11,i22,j22)
                            if (x2.eq.x1) then
                                HCTnn(x1,x2) =
(EnergyCT(i1,i2,wdnap,wdpan,N,Sfactor,VMU) + D) +
(Wvib*((vp1*1.0)+(vn2*1.0)))
                                else if
((i11==i1).and.(vp11==vp1).and.(iabs((i22-i2))==1)) then
!electron moves!
                                HCTnn(x1,x2) =
Tefunction(i2,i22,Teintra,N)*FC(t1,vn1,lambN)*FC(t1,vn22,lambN)
                                else if
((i11==i1).and.(vp11==vp1).and.(iabs((i22-i2))==N-1)) then           !e-
BC!
                                HCTnn(x1,x2) =
Tefunction(i2,i22,Teintra,N)*FC(t1,vn1,lambN)*FC(t1,vn22,lambN)
                                else if ((iabs(i11-
i1)==1).and.(i22==i2).and.(vn22==vn2)) then          !hole moves!
                                HCTnn(x1,x2) =
Thfunction(i1,i11,Thintra,N)*FC(t1,vp2,lambP)*FC(t1,vp11,lambP)
                                else if ((iabs(i11-i1)==N-
1).and.(i22==i2).and.(vn22==vn2)) then          !h-BC!

```

```

HCTnn(x1,x2) =
Thfunction(i1,i11,Thintra,N)*FC(t1, vp2, lambP)*FC(t1, vp11, lambP)
      else
          HCTnn(x1,x2) = 0.0
      end if
      end do
      end if
      end do
      end do
      end do
      end do
      end do
      end if
      end do
      !print *, 'here is HCTnn'
      !do x1 = 1,B3
          !write(*,99) (HCTnn(x1,x2), x2=1,B3)

      !end do
      !99         format (18f9.3)
!-----
-----!
!-----Ground state to ionic D+A- electronic
coupling-----!
!notice that only the CTnn states will have nonzero coupling terms which
would be multiplied with FC factors!
!CTnnv states will not couple!
      t1 = 0
      do i1=1,N
          do j1=1, (vibmax+1)
              vp1 = j1 - 1
              do i2=1,N
                  if (i2==i1) cycle
                  if ((iabs(i2-i1).EQ.1).or.(iabs(i2-
i1).EQ.N-1)) then
                      do j2=1, (vibmax+1)
                          vn2 = j2 - 1
                          if ((vp1+vn2)>vibmax) cycle
                          x1 = indx3(i1,j1,i2,j2)
                          if (MOD(i2,2).eq.0) then
                              HGround(x1) =
Tground*FC(t1, vp1, lambP)*FC(t1, vn2, lambN)
                              else
                                  HGround(x1) = 0.0
                              end if
                          end do
                          end if
                      end do
                  end do
              end do
          end do
      end do
!-----CTnnv index-----
-----!
      kount4 = 0

```

```

        do i1 =1,N
          do j1 =1,vibmaxT
            vp1 = j1 - 1
          do i2=1,N
            if (i2.eq.i1) cycle
            if ((iabs(i2-i1).EQ.1).or.(iabs(i2-i1).EQ.N-
1)) then
              do j2 =1,vibmaxT
                vn2 = j2 - 1
                do i3=1,N
                  !if ((i3.eq.i1).or.(i3.eq.i2)) cycle
                  if (i3.EQ.i1) cycle
                  if (i3.EQ.i2) cycle
                  do j3 =1,vibmaxT
                    v3 = j3
                    if ((vp1+vn2+v3)>vibmaxT) cycle
                    kount4 = kount4 + 1
                    indx4(i1,j1,i2,j2,i3,j3) = kount4
                    !print *, 'index
<',i1,'/',i2,'/',i3,'/',vp1,'/',vn2,'/',v3,'> is
',indx4(i1,j1,i2,j2,i3,j3),'
                      end do
                    end do
                  end do
                end if
                end do
              end do
            end do
            print *, 'kount4=',kount4,''
!-----Formation of CTnnv-----
-----!
t1 = 0
do i1 =1,N
  do j1 =1,vibmaxT
    vp1 = j1 - 1
  do i2=1,N
    if (i2.eq.i1) cycle
    if ((iabs(i2-i1).EQ.1).or.(iabs(i2-i1).EQ.N-1)) then
      do j2 =1,vibmaxT
        vn2 = j2 - 1
        do i3=1,N
          if (i3.EQ.i1) cycle
          if (i3.EQ.i2) cycle
          do j3 =1,vibmaxT
            v3 = j3
            if ((vp1+vn2+v3)>vibmaxT) cycle
            x1 = indx4(i1,j1,i2,j2,i3,j3)
            !print *, 'indexX1
<',i1,'/',vp1,'/',i2,'/',vn2,'/',i3,'/',v3,'>'
            !print *, 'X1=',x1,''
            do i11 =1,N
              do j11 =1,vibmaxT
                vp11 = j11 - 1
              do i22=1,N

```

```

        if (i22.eq.i11) cycle
        if ((iabs(i22-i11).EQ.1).or.(iabs(i22-i11).EQ.N-
1)) then
            do j22 =1,vibmaxT
                vn22 = j22 - 1
                do i33=1,N
                    if (i33.EQ.i11) cycle
                    if (i33.EQ.i22) cycle
                    do j33 =1,vibmaxT
                        v33 = j33
                        if ((vp11+vn22+v33)>vibmaxT) cycle
                        x2 = indx4(i11,j11,i22,j22,i33,j33)
                        !print *, 'indexX2
<',i11,'/',vp11,'/',i22,'/',vn22,'/',i33,'/',v33,'>'
                        !print *, 'X1=',x2,''
                        if (x2.eq.x1) then
                            HCTnnv(x1,x2) = (EnergyCT(i1,i2,wdnap,wdpan,N,Sfactor,VMU) +
D) + (Wvib*((vp1*1.0)+(vn2*1.0)+(v3*1.0)))
                        else if
((i11==i1).and.(vp11==vp1).and.(iabs((i22-i2))==1)) then
!electron moves!
                            if ((i33==i3).and.(v33==v3)) then
                                HCTnnv(x1,x2) =
Tefunction(i2,i22,Teintra,N)*FC(t1,vn1,lambN)*FC(t1,vn22,lambN)
                            else if ((i33==i2).and.(i22==i3)) then
                                HCTnnv(x1,x2) =
Tefunction(i2,i22,Teintra,N)*FC(v33,vn1,lambN)*FC(v3,vn22,lambN)
                            end if
                            else if
((i11==i1).and.(vp11==vp1).and.(iabs((i22-i2))==N-1)) then
!electron BC!
                            if ((i33==i3).and.(v33==v3)) then
                                HCTnnv(x1,x2) =
Tefunction(i2,i22,Teintra,N)*FC(t1,vn1,lambN)*FC(t1,vn22,lambN)
                            else if ((i33==i2).and.(i22==i3)) then
                                HCTnnv(x1,x2) =
Tefunction(i2,i22,Teintra,N)*FC(v33,vn1,lambN)*FC(v3,vn22,lambN)
                            end if
                            else if ((iabs(i11-
i1)==1).and.(i22==i2).and.(vn22==vn2)) then          !hole moves!
                                if ((i33==i3).and.(v33==v3)) then
                                    HCTnnv(x1,x2) =
Thfunction(i1,i11,Thintra,N)*FC(t1,vp1,lambP)*FC(t1,vp11,lambP)
                                else if ((i33==i1).and.(i11==i3)) then
                                    HCTnnv(x1,x2) =
Thfunction(i1,i11,Thintra,N)*FC(v33,vp1,lambP)*FC(v3,vp11,lambP)
                                end if
                                else if ((iabs(i11-i1)==N-
1).and.(i22==i2).and.(vn22==vn2)) then          !hole BC!
                                    if ((i33==i3).and.(v33==v3)) then
                                        HCTnnv(x1,x2) =
Thfunction(i1,i11,Thintra,N)*FC(t1,vp1,lambP)*FC(t1,vp11,lambP)
                                    else if ((i33==i1).and.(i11==i3)) then

```



```

            end if
        end if
    end do
    end do
    end do
    end do
end do

!print *, 'here is OL12P1P'
!do x1 = 1,B2
    !write(*,76) (OL12P1P(x1,x2),
x2=1,B1)

!end do
!76           format (9f9.3)

!print *, 'here is OL21P2P'
!do x1 = 1,B1
    !write(*,46) (OL21P2P(x1,x2),
x2=1,B2)

!end do
!46           format (18f9.3)

!-----OL13P2P  and  OL22P3P-----
-----!
    t1 = 0
    do i1 =1,N
        do j1 =1,(vibmax-1)
            v1 = j1 - 1
        do i2=1,N
            if (i2.eq.i1) cycle
            do j2 =1,(vibmax-1)
                v2 = j2
                do i3=1,N
                    if ((i3.LE.i2)) cycle
                    if ((i3.eq.i1)) cycle
if ((iabs(i3-i1).EQ.1).or.(iabs(i2-i1).EQ.1)) then
                    do j3 =1,(vibmax-1)
                        v3 = j3
                    if ((v1+v2+v3)>vibmax) cycle
                    x1 = indx5(i1,j1,i2,j2,i3,j3)
                    do i11 =1,N
                        do j11 =1,vibmax
                            v11 = j11 - 1
                        do i22=1,N
                            if (i22.eq.i11) cycle
                            do j22 =1,vibmax
                                v22 = j22
                                if ((v11+v22)>vibmax) cycle
                                x2 = indx2(i11,j11,i22,j22)
                                if ((iabs(i11-
i1)==1).or.(iabs(i11-i1)==N-1).or.(iabs(i11-i1)==2)) then

```

```

                if
((i11==i2).and.(i22==i3).and.(v22==v3)) then
                OL13P2P(x1,x2) =
Jfunction(i1,i11,JDA,JDD,JAA,N)*FC(t1,v1,lamb)*FC(v2,v11,lamb)
                OL22P3P(x2,x1) = OL13P2P(x1,x2)
                else if
((i11==i3).and.(i22==i2).and.(v22==v2)) then
                OL13P2P(x1,x2) =
Jfunction(i1,i11,JDA,JDD,JAA,N)*FC(t1,v1,lamb)*FC(v3,v11,lamb)
                OL22P3P(x2,x1) = OL13P2P(x1,x2)
                else
                OL13P2P(x1,x2) = 0.0
                OL22P3P(x2,x1) =
OL13P2P(x1,x2)
                end if
                end if
                end do
                !print *, 'here is OL13P2P'
                !do x1 = 1,B5
                !write(*,43)

(OL13P2P(x1,x2), x2=1,B2)

                !end do
                !43           format (9f9.3)

                !print *, 'here is OL21P2P'
                !do x1 = 1,B2
                !write(*,38)

(OL22P3P(x1,x2), x2=1,B5)

                !end do
                !38           format (18f9.3)
!-----OL1CT1P and OL21PCT-----
-----!
t1 = 0
do i1=1,N
  do j1=1,(vibmax+1)
    vp1 = j1 - 1
    do i2=1,N
      if (i2==i1) cycle
      if ((iabs(i2-i1).EQ.1).or.(iabs(i2-i1).EQ.N-1)) then
        do j2=1,(vibmax+1)
          vn2 = j2 - 1
          if ((vp1+vn2)>vibmax) cycle

```

```

        x1 = indx3(i1,j1,i2,j2)
        do i11=1,N
          do j11=1, (vibmax+1)
            x2 = indx1(i11,j11)
            v11 = j11 - 1
            if ((i11==i1).and.(iabs((i11-i2))==1)) then
!e-moves!
              OL1CT1P(x1,x2) =
Tefunction(i2,i11,Teintra,N)*FC(vp1,v11,lambEP)*FC(t1,vn2,lambN)
              OL21PCT(x2,x1) = OL1CT1P(x1,x2)
              else if ((i11==i1).and.(iabs((i11-i2))==N-1)) then
!e-BC!
              OL1CT1P(x1,x2) =
Tefunction(i2,i11,Teintra,N)*FC(vp1,v11,lambEP)*FC(t1,vn2,lambN)
              OL21PCT(x2,x1) = OL1CT1P(x1,x2)
              else if ((iabs(i11-i1)==1).and.(i11==i2)) then
!h-moves!
              OL1CT1P(x1,x2) =
Thfunction(i1,i11,Thintra,N)*FC(vn2,v11,lambEN)*FC(t1,vp1,lambP)
              OL21PCT(x2,x1) = OL1CT1P(x1,x2)
              else if ((iabs(i11-i1)==N-1).and.(i11==i2)) then
!h-BC!
              OL1CT1P(x1,x2) =
Thfunction(i1,i11,Thintra,N)*FC(vn2,v11,lambEN)*FC(t1,vp1,lambP)
              OL21PCT(x2,x1) = OL1CT1P(x1,x2)
              else
                OL1CT1P(x1,x2) = 0.0
                OL21PCT(x2,x1) = OL1CT1P(x1,x2)
              end if
                end do
                end do
                end do
                end if
                end do
                end do
                end do
              end do
              !print *, 'here is OL1CT1P'
              !do x1 = 1,B3
                !write(*,94) (OL1CT1P(x1,x2),
x2=1,B1)

              !end do
              !94           format (9f9.3)

              !print *, 'here is OL21PCT'
              !do x1 = 1,B1
                ! write(*,27) (OL21PCT(x1,x2),
x2=1,B3)

              !end do
              ! 27           format (16f9.3)
!-----OL1CT2P and
OL22PCT-----!
t1 = 0

```

```

do i1=1,N
do j1=1,(vibmax+1)
vp1 = j1 - 1
do i2=1,N
  if (i2==i1) cycle
  if ((iabs(i2-i1).EQ.1).or.(iabs(i2-i1).EQ.N-1)) then
    do j2=1,(vibmax+1)
      vn2 = j2 - 1
      if ((vp1+vn2)>vibmax) cycle
      x1 = indx3(i1,j1,i2,j2)
      do i11=1,N
        do j11=1,vibmax
          v11 = j11 - 1
          do i22=1,N
            if (i22==i11) cycle
            do j22=1,vibmax
              v22 = j22
              if ((v11+v22)>vibmax) cycle
              x2 = indx2(i11,j11,i22,j22)
              if ((i11==i1).and.(iabs(i11-i2)==1).and.(i22==i2))
then
  !e-moves!
  OL1CT2P(x1,x2) =
Tefunction(i2,i11,Teintra,N)*FC(vp1,v11,lambEP)*FC(v22,vn2,lambN)
  OL22PCT(x2,x1) = OL1CT2P(x1,x2)
  else if ((i11==i1).and.(iabs(i11-i2)==N-
1).and.(i22==i2)) then
  !e-BC!
  OL1CT2P(x1,x2) =
Tefunction(i2,i11,Teintra,N)*FC(vp1,v11,lambEP)*FC(v22,vn2,lambN)
  OL22PCT(x2,x1) = OL1CT2P(x1,x2)
  else if ((iabs(i11-
i1)==1).and.(i11==i2).and.(i22==i1)) then
  !h-moves!
  OL1CT2P(x1,x2) =
Thfunction(i1,i11,Thintra,N)*FC(vn2,v11,lambEN)*FC(v22, vp1, lambP)
  OL22PCT(x2,x1) = OL1CT2P(x1,x2)
  else if ((iabs(i11-i1)==N-
1).and.(i11==i2).and.(i22==i1)) then
  !h-BC!
  OL1CT2P(x1,x2) =
Thfunction(i1,i11,Thintra,N)*FC(vn2,v11,lambEN)*FC(v22, vp1, lambP)
  OL22PCT(x2,x1) = OL1CT2P(x1,x2)
  else
    OL1CT2P(x1,x2) = 0.0
    OL22PCT(x2,x1) = OL1CT2P(x1,x2)
  end if
  end do
  end do
  end do
  end do
  end if
  end do
end do
!print *, 'here is OL1CT2P'
!do x1 = 1,B3

```

```

        !write(*,83) (OL1CT2P(x1,x2), x2=1,B2)

!end do
!83          format (6f9.3)

!print *, 'here is OL22PCT'
!do x1 = 1,B2
        ! write(*,46) (OL22PCT(x1,x2), x2=1,B3)

!end do
!46          format (12f9.3)
!-----OL1CTV2P and OL22PCTV---
-----!
t1 = 0
do i1 =1,N
do j1 =1,vibmaxT
  vp1 = j1 - 1
do i2=1,N
  if (i2.eq.i1) cycle
  if ((iabs(i2-i1).EQ.1).or.(iabs(i2-i1).EQ.N-1)) then
do j2 =1,vibmaxT
  vn2 = j2 -1
do i3=1,N
  if (i3.EQ.i1) cycle
  if (i3.EQ.i2) cycle
do j3 =1,vibmaxT
  v3 = j3
if ((vp1+vn2+v3)>vibmaxT) cycle
x1 = indx4(i1,j1,i2,j2,i3,j3)
do i11=1,N
  do j11=1,vibmax
    v11 = j11 - 1
  do i22=1,N
    if (i22==i11) cycle
    do j22=1,vibmax
      v22 = j22
      if ((v11+v22)>vibmax) cycle
      x2 = indx2(i11,j11,i22,j22)
      if ((i11==i1).and.(iabs(i1-
i2)==1).and.(i22==i3).and.(v22==v3)) then           !e-moves!
        OL1CTV2P(x1,x2) =
Tefunction(i2,i11,Teintra,N)*FC(vp1,v11,lambEP)*FC(t1,vn2,lambN)
        OL22PCTV(x2,x1) = OL1CTV2P(x1,x2)
      else if ((i11==i1).and.(iabs(i1-i2)==N-
1).and.(i22==i3).and.(v22==v3)) then           !e-BC!
        OL1CTV2P(x1,x2) =
Tefunction(i2,i11,Teintra,N)*FC(vp1,v11,lambEP)*FC(t1,vn2,lambN)
        OL22PCTV(x2,x1) = OL1CTV2P(x1,x2)
      else if ((iabs(i1-
i2)==1).and.(i11==i2).and.(i22==i3).and.(v22==v3)) then           !h-
moves!
        OL1CTV2P(x1,x2) =
Thfunction(i1,i11,Thintra,N)*FC(vn2,v11,lambEN)*FC(t1,vp1,lambP)
        OL22PCTV(x2,x1) = OL1CTV2P(x1,x2)

```

```

        else if ((iabs(i1-i2)==N-
1).and.(i11==i2).and.(i22==i3).and.(v22==v3)) then           !h-BC!
          OL1CTV2P(x1,x2) =
Thfunction(i1,i11,Thintra,N)*FC(vn2,v11,lambEN)*FC(t1,vp1,lambP)
          OL22PCTV(x2,x1) = OL1CTV2P(x1,x2)
        else
          OL1CTV2P(x1,x2) = 0.0
          OL22PCTV(x2,x1) = OL1CTV2P(x1,x2)
        end if
      end do
    end do
  end do
end do
end do
end if
end do
end do
end do
end do

!print *, 'here is OL1CTV2P'
!do x1 = 1,B4
  !write(*,43) (OL1CTV2P(x1,x2), x2=1,B2)

!end do
!43       format (6f9.3)

!print *, 'here is OL22PCTV'
!do x1 = 1,B2
  !write(*,95) (OL22PCTV(x1,x2), x2=1,B4)

!end do
!95       format (4f9.3)
!-----OL1CTV3P and
OL23PCTV-----!
t1 = 0
do i1 =1,N
  do j1 =1,vibmaxT
    vp1 = j1 - 1
  do i2=1,N
    if (i2.eq.i1) cycle
    if ((iabs(i2-i1).EQ.1).or.(iabs(i2-i1).EQ.N-1)) then
      do j2 =1,vibmaxT
        vn2 = j2 - 1
        do i3=1,N
          if (i3.EQ.i1) cycle
          if (i3.EQ.i2) cycle
        do j3 =1,vibmaxT
          v3 = j3
          if ((vp1+vn2+v3)>vibmaxT) cycle
        x1 = indx4(i1,j1,i2,j2,i3,j3)
        do i11 =1,N
          do j11 =1,(vibmax-1)

```

```

    v11 = j11 - 1
do i22=1,N
    if (i22.eq.i11) cycle
    do j22 = 1,(vibmax-1)
        v22 = j22
        do i33=1,N
            if ((i33.LE.i22)) cycle
            if ((i33.eq.i11)) cycle
if ((iabs(i33-i11).EQ.1).or.(iabs(i22-i11).EQ.1)) then
    do j33 = 1,(vibmax-1)
        v33 = j33
        if ((v11+v22+v33)>vibmax) cycle
        x2 = indx5(i11,j11,i22,j22,i33,j33)
        if ((i11==i1).and.(iabs((i2-i11))==1)) then
!electron moves!
        if ((i22==i2).and.(i33==i3).and.(v33==v3)) then
            OL1CTV3P(x1,x2) =
Tefunction(i2,i11,Teintra,N)*FC(vp1,v11,lambEP)*FC(v22,vn2,lambN)
            OL23PCTV(x2,x1) = OL1CTV3P(x1,x2)
        else if ((i22==i3).and.(i33==i2).and.(v22==v3)) then
            OL1CTV3P(x1,x2) =
Tefunction(i2,i11,Teintra,N)*FC(vp1,v11,lambEP)*FC(v33,vn2,lambN)
            OL23PCTV(x2,x1) = OL1CTV3P(x1,x2)
        end if
        else if ((i11==i1).and.(iabs((i2-i11))==N-1)) then
!electron BC!
        if ((i22==i2).and.(i33==i3).and.(v33==v3)) then
            OL1CTV3P(x1,x2) =
Tefunction(i2,i11,Teintra,N)*FC(vp1,v11,lambEP)*FC(v22,vn2,lambN)
            OL23PCTV(x2,x1) = OL1CTV3P(x1,x2)
        else if ((i22==i3).and.(i33==i2).and.(v22==v3)) then
            OL1CTV3P(x1,x2) =
Tefunction(i2,i11,Teintra,N)*FC(vp1,v11,lambEP)*FC(v33,vn2,lambN)
            OL23PCTV(x2,x1) = OL1CTV3P(x1,x2)
        end if
        else if ((iabs(i11-i1)==1).and.(i11==i2)) then
!hole moves!
        if ((i22==i1).and.(i33==i3).and.(v33==v3)) then
            OL1CTV3P(x1,x2) =
Thfunction(i1,i11,Thintra,N)*FC(vn2,v11,lambEN)*FC(v22,vp1,lambP)
            OL23PCTV(x2,x1) = OL1CTV3P(x1,x2)
        else if ((i33==i1).and.(i22==i3).and.(v22==v3)) then
            OL1CTV3P(x1,x2) =
Thfunction(i1,i11,Thintra,N)*FC(vn2,v11,lambEN)*FC(v33,vp1,lambP)
            OL23PCTV(x2,x1) = OL1CTV3P(x1,x2)
        end if
        else if ((iabs(i11-i1)==N-1).and.(i11==i2)) then
!hole BC!
        if ((i22==i1).and.(i33==i3).and.(v33==v3)) then
            OL1CTV3P(x1,x2) =
Thfunction(i1,i11,Thintra,N)*FC(vn2,v11,lambEN)*FC(v22,vp1,lambP)
            OL23PCTV(x2,x1) = OL1CTV3P(x1,x2)
        else if ((i33==i1).and.(i22==i3).and.(v22==v3)) then

```



```

do i11=1,N
do j11=1,(vibmax+1)
  vp11 = j11 - 1
  do i22=1,N
    if (i22==i11) cycle
    if ((iabs(i22-i11).EQ.1).or.(iabs(i22-i11).EQ.N-1)) then
      do j22=1,(vibmax+1)
        vn22 = j22 - 1
        if ((vp11+vn22)>vibmax) cycle
        x2 = indx3(i11,j11,i22,j22)
        if ((i11==i1).and.(vp11==vp1).and.(iabs((i2-
i22))==1).and.(i22==i3)) then                                !electron moves!
          OL1CTVCT(x1,x2) =
Tefunction(i2,i22,Teintra,N)*FC(v3,vn22,lambN)*FC(t1,vn1,lambN)
          OL2CTCTV(x2,x1) = OL1CTVCT(x1,x2)
        else if ((i11==i1).and.(vp11==vp1).and.(iabs((i2-i22))==N-
1).and.(i22==i3)) then                                !electron BC!
          OL1CTVCT(x1,x2) =
Tefunction(i2,i22,Teintra,N)*FC(v3,vn22,lambN)*FC(t1,vn1,lambN)
          OL2CTCTV(x2,x1) = OL1CTVCT(x1,x2)
        else if ((iabs(i11-
i1)==1).and.(i22==i2).and.(vn22==vn1).and.(i11==i3)) then
!hole moves!
          OL1CTVCT(x1,x2) =
Thfunction(i1,i11,Thintra,N)*FC(v3,vp11,lambP)*FC(t1,vp1,lambP)
          OL2CTCTV(x2,x1) = OL1CTVCT(x1,x2)
        else if ((iabs(i11-i1)==N-
1).and.(i22==i2).and.(vn22==vn1).and.(i11==i3)) then           !hole
BC!
          OL1CTVCT(x1,x2) =
Thfunction(i1,i11,Thintra,N)*FC(v3,vp11,lambP)*FC(t1,vp1,lambP)
          OL2CTCTV(x2,x1) = OL1CTVCT(x1,x2)
        else
          OL1CTVCT(x1,x2) = 0.0
          OL2CTCTV(x2,x1) = OL1CTVCT(x1,x2)
        end if
        end do
      end do
    end if
    end do
  end do
end do
end do
end do
end if
end do
end do
end do
end do
print *, 'TEST3'
!print *, 'here is OL1CTVCT'
!do x1 = 1,B4
  !write(*,18) (OL1CTVCT(x1,x2), x2=1,B3)

!end do

```

```

!18      format (12f9.3)

!print *, 'here is OL2CTCTV'
!do x1 = 1,B3
    !write(*,16) (OL2CTCTV(x1,x2), x2=1,B4)

!end do
!16      format (4f9.3)

!-----Now, Form the total Hamiltonian-----
-----!
        do i =1,(B+1)
            do j =1,(B+1)
                if (i==1) then
                    if
((j>(B1+B2+1)).and.(j<=(B1+B2+B3+1))) then
                        x2 = j - (B1+B2+1)
                        H(i,j) = Hground(x2)
                        H(j,i) = H(i,j)
                    else if (j==1) then
                        H(i,j) = wGround
                    else
                        H(i,j) = 0.0
                        H(j,i) = 0.0
                    end if
                end if
            end do
        end do

        do i =1,B
            do j =1,B
                if (i<=B1) then
                    if (j<=B1) then
                        H(i+1,j+1) =
H1PE(i,j)
                    else if ((j>B1).and.(j<=(B1+B2)))
then
                        x2 = j - B1
                        H(i+1,j+1) =
OL21P2P(i,x2)
                    else if
((j>(B1+B2)).and.(j<=(B1+B2+B3))) then
                        x2 = j - (B1+B2)
                        H(i+1,j+1) =
OL21PCT(i,x2)
                    else if
((j>(B1+B2+B3)).and.(j<=(B1+B2+B3+B4))) then
                        x2 = j - (B1+B2+B3)
                        H(i+1,j+1) = 0.0
                    else if
((j>(B1+B2+B3+B4)).and.(j<=B)) then
                        x2 = j -
(B1+B2+B3+B4)
                    end if
                end if
            end do
        end do

```

```

H(i+1,j+1) = 0.0
!print *, 'TEST3'
      end if
      !print *, 'TEST4'
else if ((i>B1).and.(i<=(B1+B2)))
then
      x1 = i - B1
      if (j<=B1) then
            H(i+1,j+1) =
OL12P1P(x1,j)
            !print *,
'TEST5'
      else if ((j>B1).and.(j<=(B1+B2)))
then
      x2 = j - B1
      H(i+1,j+1) =
H2PE(x1,x2)
            !print *, 'TEST6'
      else if
((j>(B1+B2)).and.(j<=(B1+B2+B3))) then
      x2 = j - (B1+B2)
      H(i+1,j+1) =
OL22PCT(x1,x2)
            !print *, 'TEST7'
      else if
((j>(B1+B2+B3)).and.(j<=(B1+B2+B3+B4))) then
      x2 = j - (B1+B2+B3)
      H(i+1,j+1) =
OL22PCTV(x1,x2)
            !print *, 'TEST8'
      else if
((j>(B1+B2+B3+B4)).and.(j<=B)) then
      x2 = j -
(B1+B2+B3+B4)

H(i+1,j+1) = OL22P3P(x1,x2)

!H(i,j) = 0.0           !for test!

!print *, 'TEST9'
      end if

      else if
((i>(B1+B2)).and.(i<=(B1+B2+B3))) then
      x1 = i - (B1+B2)
      if (j<=B1) then
            H(i+1,j+1) =
OL1CT1P(x1,j)
            !print *,
'TEST10'
      else if ((j>B1).and.(j<=(B1+B2)))
then

```

```

          x2 = j - B1
          H(i+1,j+1) =
          !print *, 'TEST11'

OL1CT2P(x1,x2)
          else if
((j>(B1+B2)).and.(j<=(B1+B2+B3))) then
          x2 = j - (B1+B2)
          H(i+1,j+1) = HCTnn(x1,x2)
          !print *, 'TEST12'

          else if
((j>(B1+B2+B3)).and.(j<=(B1+B2+B3+B4))) then
          x2 = j - (B1+B2+B3)
          H(i+1,j+1) =

OL2CTCTV(x1,x2)
          else if
((j>(B1+B2+B3+B4)).and.(j<=B)) then
          x2 = j -
(B1+B2+B3+B4)

H(i+1,j+1) = 0.0

!print *, 'TEST13'
          end if
          !print *, 'TEST6'
          else if
((i>(B1+B2+B3)).and.(i<=(B1+B2+B3+B4))) then
          x1 = i - (B1+B2+B3)
          if (j<=B1) then
          H(i+1,j+1) = 0.0
          else if ((j>B1).and.(j<=(B1+B2)))
then
          x2 = j - B1
          H(i+1,j+1) =

OL1CTV2P(x1,x2)
          else if
((j>(B1+B2)).and.(j<=(B1+B2+B3))) then
          x2 = j - (B1+B2)
          H(i+1,j+1) =

OL1CTVCT(x1,x2)
          else if
((j>(B1+B2+B3)).and.(j<=(B1+B2+B3+B4))) then
          x2 = j - (B1+B2+B3)
          H(i+1,j+1) =

HCTnnv(x1,x2)
          else if
((j>(B1+B2+B3+B4)).and.(j<=B)) then
          x2 = j -
(B1+B2+B3+B4)
          H(i+1,j+1) =

OL1CTV3P(x1,x2)
          end if
          else if
((i>(B1+B2+B3+B4)).and.(i<=B)) then

```

```

        x1 = i - (B1+B2+B3+B4)
        if (j<=B1) then
            H(i+1,j+1) = 0.0
        else if ((j>B1).and.(j<=(B1+B2)))
then
        x2 = j - B1
        H(i+1,j+1) =
        !H(i,j) = 0.0
OL13P2P(x1,x2)

!for test!
        else if
((j>(B1+B2)).and.(j<=(B1+B2+B3))) then
        x2 = j - (B1+B2)
        H(i+1,j+1) = 0.0
        else if
((j>(B1+B2+B3)).and.(j<=(B1+B2+B3+B4))) then
        x2 = j - (B1+B2+B3)
        H(i+1,j+1) =
OL23PCTV(x1,x2)
        else if
((j>(B1+B2+B3+B4)).and.(j<=B)) then
        x2 = j -
(B1+B2+B3+B4)
        H(i+1,j+1) =
H3PE(x1,x2)
        end if
        end if
end do
end do

!print *, 'here is the total H'
!do x1 = 1,(B+1)
    !write(*,39)
(H(x1,x2), x2=1, (B+1))
    !end do
    !39           format (13f5.1)
!-----Check each part of Hamiltonian-----
-----!
!print *, 'kount1=',kount1,''
!print *, 'kount2=',kount2,''
!print *, 'kount3=',kount3,''
!print *, 'kount4=',kount4,''
!print *, 'kount5=',kount5,''
print *, 'Sum of kounts=',kount1+kount2+kount3+kount4+kount5,''
print *, 'Dimension of Hamiltonian=',B+1,''
!-----Check the Hamiltonian-----
-----!
!print *, 'here is the total H'
!      do x1 = 1,B

```

```

!
!                               write(*,1)  (H(x1,x2), x2=1,B)
!
!           end do
!
!           1           format (12f5.1)
!-----Is it correct Hamiltonian?-----
!-----!
!print *, 'Is it correct Hamiltonian? if yes, type Y, and if no, type N'
!read *, Answer
!
!                           if (Answer /= 'Y')  then
!
!                                         continue
!
!                           else
!
!                                         stop
!
!                           end if
!-----Copy the original Hamiltonian-----
!-----!
!           do x1=1, (B+1)
!                         do x2=1, (B+1)
!
!               H(x1,x2)          HS(x1,x2) = H(x1,x2)
!               !HSLL(x1,x2) = !HSLS(x1,x2) =
!
!               H(x1,x2)          !HSSL(x1,x2) =
!
!               H(x1,x2)          !HSSS(x1,x2) =
!
!               H(x1,x2)          !HLOff(x1,x2) =
!
!               H(x1,x2)          !HSLOff(x1,x2) =
!
!               H(x1,x2)          !HLSOff(x1,x2) =
!
!               H(x1,x2)          !HSSOff(x1,x2) =
!
!               H(x1,x2)          end do
!
!           end do
!-----Let's add Disorder-----
!-----!
!Print *, "Diagonal Disorder:)"
!
!call LLDiagonal()
!call SLDiagonal()
!call LSDiagonal()
!call SSDiagonal()
!
!print *, "just finished diagonal disorder:))"
!print *, "Off-diagonal disorder--Ugly Face"
!
!call LLOffDiagonal()
!call SLOffDiagonal()
!call LSOffDiagonal()
!call SSOFFDiagonal()
!
!print *, "just finished Off-diagonal disorder:))"

```

```

!-----!
!-----NOW, Diagonalize the Hamiltonian-----
!-----!
Write(*,*) 'DSYEV program results'
!-----!
LWORK = -1
allocate(WORK(3*(B)-1))
Call DSYEV('Vector', 'Upper', (B+1), H, (B+1), Eign, WORK, LWORK, INFO)
LWORK=WORK(1)

deallocate(WORK)
allocate(WORK(LWORK))
Call DSYEV('Vector', 'Upper', (B+1), H, (B+1), Eign, WORK, LWORK, INFO)
!-----!
!-----Check for Convergence-----
!-----!
      if (INFO.gt.0) then
                      write(*,*) 'The algorithm failed to compute
the eigenvalue'
                      stop
      end if
!-----Print the eigenvalues and eigenvectors-----
!-----!
!CALL PRINT_MATRIX('eigenvalues', 1, B, Eign, 1)
!CALL PRINT_MATRIX('Eigenvectores--stored columnwise', B, B, H, LDA)

!-----So, the results are-----
!-----!
!-----index 1 and 2 goes over x and y direction 1:y and
2:x-----!

do x4 = 1,13
  print *, Eign(x4)
end do
!-----CT Character-----
!-----!
      do x2 = 1,B
        COF1PE (x2) = 0.0
        COF2PE (x2) = 0.0
        COFCTnn(x2) = 0.0
        COFCTnnv(x2) = 0.0
        COF3PE (x2) = 0.0

        do x4 = 1, B1
          COF1PE(x2) = COF1PE(x2) + H(x4,x2)*H(x4,x2)
        end do

        do x4 = 1, B2
          v4 = x4 + B1
          COF2PE(x2) = COF2PE(x2) + H(v4,x2)*H(v4,x2)
        end do

```

```

do x4 = 1, B3
  v4 = x4 + (B1+B2)
  COFCTnn(x2) = COFCTnn(x2) + H(v4,x2)*H(v4,x2)
end do

do x4 = 1, B4
  v4 = x4 + (B1+B2+B3)
  COFCTnnv(x2) = COFCTnnv(x2) + H(v4,x2)*H(v4,x2)
end do

do x4 = 1, B5
  v4 = x4 + (B1+B2+B3+B4)
  COF3PE(x2) = COF3PE(x2) + H(v4,x2)*H(v4,x2)
end do

end do
!-----the probability of D+A-; among
all the CT states-----!
do X2 = 1, B
  COFDpAm(x2) = 0.0
      !Go over CTnn!
do i1=1,N
  do j1=1,(vibmax+1)
    vp1 = j1 - 1
    do i2=1,N
      if (i2==i1) cycle
      if ((iabs(i2-i1).EQ.1).or.(iabs(i2-i1).EQ.N-1))
then
  do j2=1,(vibmax+1)
    vn2 = j2 - 1
    if ((vp1+vn2)>vibmax) cycle
    x1 = indx3(i1,j1,i2,j2)
    x4 = (B1+B2) + x1

    if (MOD(i2,2).eq.0) then
      COFDpAm(x2) = COFDpAm(x2) +
H(x4,x2)*H(x4,x2)
      end if
    end do
    end if
    end do
  end do
      ! Go over CTnnv!
  do i1 =1,N
    do j1 =1,vibmaxT
      vp1 = j1 - 1
      do i2=1,N
        if (i2.eq.i1) cycle
        if ((iabs(i2-
i1).EQ.1).or.(iabs(i2-i1).EQ.N-1)) then
          do j2 =1,vibmaxT
            vn2 = j2 -1
            do i3=1,N

```

```

cycle                                         if (i3.EQ.i1)
cycle                                         if (i3.EQ.i2)
do j3 =1,vibmaxT
  v3 = j3
  if
    x1 =
    x4 = (B1+B2+B3) + x1
    if (MOD(i2,2).eq.0)
then
  COFDpAm(x2) = COFDpAm(x2) +
((vp1+vn2+v3)>vibmaxT) cycle
  indx4(i1,j1,i2,j2,i3,j3)
  x1 =
  x4 = (B1+B2+B3) + x1
  if (MOD(i2,2).eq.0)
end if
end do
end do
end do
end if
end do
end do
end do

end do
!-----
-----!
print *, 'now for OSillator strength'
do x2 =2,(B+1)
  x3 = x2 - 1

  !Go over 1PE states!
  do i1 = 1,N
    do j1 =1,(vibmax+1)
      x1 = indx1(i1,j1)
      x5 = x1
      x1 = x1 + 1

      v1 = j1 - 1
      t1 = 0
      if (MOD(i1,2).eq.0) then
        x4 = 2
      else
        HX(x5,x3) =
        Dipoles(x4,i1,MuA,MuD,Angle,Alfadegree)*((H(1,1)*H(x1,x2)*FC(t1,v1,lamb))+
        (H(x1,1)*H(1,x2)*FC(t1,v1,lamb)) +
        +(H(x1,1)*H(x1,x2)))
        HX(x5,x3) = 0.0
      end if
      x4 = 1
      HY(x5,x3) =
      Dipoles(x4,i1,MuA,MuD,Angle,Alfadegree)*((H(1,1)*H(x1,x2)*FC(t1,v1,lamb))+
      (H(x1,1)*H(1,x2)*FC(t1,v1,lamb)) +
      +(H(x1,1)*H(x1,x2)))
    end do
  end do
end do
```

```

        !print *, 'FCA and v1
<',FC(t1,v1,lamb),'/',v1,'>'
        else
          x4 = 2
      ! HX(x5,x3) =
Dipoles(x4,i1,MuA,MuD,Angle,Alfadegree)*((H(1,1)*H(x1,x2)*FC(t1,v1,lamb))+
(H(x1,1)*H(1,x2)*FC(t1,v1,lamb)) &
! +(H(x1,1)*H(x1,x2)))
      HX(x5,x3) = 0.0
          x4 = 1
      HY(x5,x3) =
Dipoles(x4,i1,MuA,MuD,Angle,Alfadegree)*((H(1,1)*H(x1,x2)*FC(t1,v1,lamb)) +
(H(x1,1)*H(1,x2)*FC(t1,v1,lamb)) &
+ (H(x1,1)*H(x1,x2)))
          !print *, 'FCD and v1
<',FC(t1,v1,lamb),'/',v1,'>' 
        end if
      end do
    end do

    !Go over CTnn states!
    do i1=1,N
      do j1=1,(vibmax+1)
        vp1 = j1 - 1
        do i2=1,N
          if (i2==i1) cycle
          if ((iabs(i2-i1).EQ.1).or.(iabs(i2-
i1).EQ.N-1)) then
            do j2=1,(vibmax+1)
              vn2 = j2 - 1
              if ((vp1+vn2)>vibmax) cycle
              x1 = indx3(i1,j1,i2,j2)
              x5 = x1 + B1
              !x1 = x1 + B1
              x1 = (x1 + 1 + B1 + B2)
              if (MOD(i2,2).eq.0) then
                HX(x5,x3) = MuCT*H(x1,1)*H(x1,x2)
                !HY(x5,x3) = MuCT*H(x1,1)*H(x1,x2)
                else
                  HX(x5,x3) = 0.0
                  HY(x5,x3) = 0.0
                end if
              end do
            end if
          end do
        end do
      end do

    end do
!.....To calculate Oscillator
Strength.....!
      do x2=1,B
        SummX (x2) = 0.0

```

```

SummY (x2) = 0.0
do x1=1,B
    SummX(x2) = SummX(x2) +
SummY(x2) = SummY(x2) +
HX(x1,x2)
    end do
HY(x1,x2)
    end do
!-----!
do x2=1,B
    SummX(x2) = SummX(x2)*SummX(x2)
    SummY(x2) = SummY(x2)*SummY(x2)
end do
!-----!
print *, 'the values of oscillator strength are as follows: '
    do x2=1,B
        FX(x2) = SummX(x2)
        FY(x2) = SummY(x2)
        !print *, 'os and f
<',SummX(x2),'/',SummY(x2),'>'
        !Freq(x2) = Eign(x2)*wcm*1.d0 +
monomer_E*1.0

        !Freq(x2) = Eign(x2)*wcm*1.d0
        !F(x2) = Freq(x2)*F(x2)

        x3 = x2 + 1
        Freq(x2) = (Eign(x3)-Eign(1))*wcm*1.d0
!for wavenumber!
        !print *, 'os and f
<',SummX(x2),'/',SummY(x2),'>'
        !Freq(x2) = Eign(x2)*wcm*1.d0/8065.0 +
monomer_E*1.0

        FX(x2) = Freq(x2)*FX(x2)           !here
I multiply with frequency!
        FY(x2) = Freq(x2)*FY(x2)
        !print *, Freq(x2)
            print *, 'freq and f
<',Freq(x2),'/',F(x2),'>'
        !F(x2) = Freq(x2)*F(x2)
        !write(*,8) F(x2)
    end do
!      8
format (1f5.1)

!-----!
!-----!                                         Form the Line Shape Matrix,
Absorption-----!
!Fmax = MAXVAL(FY)
!do x4 = 1,B
    !print *, 'Wavelength and w and f
<',(10000000.0/Freq(x4)),'/',(x4*1.0),'/',(FY(x4)/Fmax),'>

```

```

!end do

        gamLE = gamLE*wcm
        gamHE = gamHE*wcm
        do x1=1,Z
            w = Wmin + ((x1-1)*dw)
            !w = w*wcm*1.d0 + monomer_E*1.0
            !w = w*wcm*1.d0
                AbX(x1) = 0.0
                AbY(x1) = 0.0
                do x2=1,B
                    !LS(x1,x2) = DEXP(-( (w-
Eign(x2))**2 ) / (gam**2) )
                        if (Freq(x2).LE.Wcut) then
                            LSX(x1,x2) =
(1.0d0/gamLE)*DEXP(-( (w-Freq(x2))**2 ) / (gamLE**2) )
                            LSY(x1,x2) =
(1.0d0/gamLE)*DEXP(-( (w-Freq(x2))**2 ) / (gamLE**2) )
                        else
                            LSX(x1,x2) =
(1.0d0/gamHE)*DEXP(-( (w-Freq(x2))**2 ) / (gamHE**2) )
                            LSY(x1,x2) =
(1.0d0/gamHE)*DEXP(-( (w-Freq(x2))**2 ) / (gamHE**2) )
                        end if
                        !print *, 'freq and w and f
<',Freq(x2),'/',w,'/',F(x2),'>'
                        !LS(x1,x2) = (gam**2)/(((w-
Eign(x2))**2)+(gam**2) )
                        !F(x2) = F(x2)*abs((w-
Eign(x2)))
                        !Ab(x1) = Ab(x1) +
(F(x2)*(Eign(x2))*LS(x1,x2))
                        !Ab(x1) = Ab(x1) +
(F(x2)*(Freq(x2) - monomer_E*1.0)*LS(x1,x2))
                        AbX(x1) = AbX(x1) +
(FX(x2)*LSX(x1,x2))
                        AbY(x1) = AbY(x1) +
(FY(x2)*LSY(x1,x2))
                        !print *, 'freq and w and f
<',Freq(x2),'/',w,'/',F(x2),'/',Ab(x1),'>'
                    end do
                    AbX(x1) = (1.0/N)*AbX(x1)
                    AbY(x1) = (1.0/N)*AbY(x1)
                    Abtot(x1) = AbX(x1) + AbY(x1)
                    !print *, 'w and abs <',w,'/',Ab(x1),'>'
                    ! print *, Ab(x1)
                end do
                !renormalize spectrum!
                AbmaxX = MAXVAL(AbX)
                AbmaxY = MAXVAL(AbY)
                Abmaxtot = MAXVAL(Abtot)
                do x1=1,Z
                    AbX(x1) = AbX(x1)/AbmaxX
                    AbY(x1) = AbY(x1)/AbmaxY

```

```

        Abtot(x1) = Abtot(x1)/Abmaxtot
    end do
    !print *, 'check!'
    !do x1= 1,B
    !print *, Eign(x1)
    !end do
!-----Show the absorption for each
frequency-----
print *, 'Here is the spectrum'
open(UNIT=4,FILE="COPVKSVMU1.txt",STATUS="OLD",ACTION="READWRITE")
    do x1=1,Z
        w = Wmin + ((x1-1)*(dw))
        weV = w/8065.0
        !weV = w*1400.0/8065.0
        !wavenumber = wcm*1.0*w + monomer_E*1.0
        !w = (w-1)*wcm*1.d0 + monomer_E*1.0
        !w = w*wcm*1.d0
        !w = w*monomer_E*1.0
        !print *, w
        !wavenumber = w*wcm + monomer_E
        wavelength = 10000000.0/w
        !write(UNIT=4, FMT="(4(F15.7,2X))")

Ab(x1), w
                !write(UNIT=4, FMT="(2(f15.10,2X))")

w, Ab(x1)
                !write(UNIT=4, FMT="(4(F15.10,2X))")

wavenumber, Ab(x1)
                !write(UNIT=4, FMT=105) weV, AbX(x1),
!here for eV!
                write(UNIT=4, FMT=105) weV, AbX(x1),
!here for wavelength!
!                write(UNIT=4, FMT=105) w, AbX(x1),
!here for cm-1!
                105 format(4e20.12)
                !print *, 'w and abs

<',w,'/',Ab(x1),'>'

                end do
close(UNIT=4)

print *, 'kount1=',kount1,''
print *, 'kount2=',kount2,''
print *, 'kount3=',kount3,''
print *, 'kount4=',kount4,''
print *, 'kount5=',kount5,''
print *, 'Dimension of Hamiltonian=',B+1,''
print *, 'This is Eignvalue matrix'
!-----CT Character-----
print *, 'Here is the Vector'
open(UNIT=6,FILE="LOOK5.txt",STATUS="OLD",ACTION="READWRITE")
    do x1=1,B
        wavelength = (10000000.0/Freq(x1))

```



```

        theta = 2.0*PI*rand2
        rand1N = randR*cos(theta)
        rand2N = randR*sin(theta)
        rand1Nnew = (rand1N*sigma) + randmean
        disorder_elements(config,Vx,Vy) =
rand1Nnew
                end do
            end do
        end do
        !-----
!to calculate the distribution!
        whole = 0
        wholeEl = 0.0d0
        do config=1,realization
            do Vx=1,N
                do Vy=1,N
                    whole = whole + 1
                    wholeEl = wholeEl +
disorder_elements(config,Vx,Vy)
                end do
            end do
        end do
        !-----
wholemean = wholeEl/whole      !mean!
        wholedif = 0.0d0
        do config=1,realization
            do Vx=1,N
                do Vy=1,N
                    wholedif = wholedif +
((disorder_elements(config,Vx,Vy)-wholemean)**2)
                end do
            end do
        end do
        !-----
!standarddeviation!
        standD = (1.0/(whole -
1))*wholedif
        standD = sqrt(standD)
        !-----
-----!
        !Okay, we have the uniform
distribution!

open(UNIT=5,FILE="random3.txt",STATUS="NEW",ACTION="READWRITE")
        do config=1,realization
            do Vx=1,N
                do Vy=1,N
                    !wholeP(config,Vx,Vy) = (1.0/sqrt(2.0*PI*(standD**2)))*EXP(-
1.0*((disorder_elements(config,Vx,Vy)**2)/(2.0*standD**2)))
                    wholeP(config,Vx,Vy) = (1.0/sqrt(2.0*PI*(sigma**2)))*EXP(-
1.0*((disorder_elements(config,Vx,Vy)**2)/(2.0*sigma**2)))
                    write(UNIT=5, FMT="(4(F15.7,2X))")
disorder_elements(config,Vx,Vy), wholeP(config,Vx,Vy)
                end do
            end do

```

```

                end do
            end do
        close(UNIT=5)
        print *, wholemean, standD
end Subroutine disorder_table
!-----
-----!
!-----Auxilary routine for PRINT_MATRIX
Subroutine-----!
Subroutine PRINT_MATRIX(DESC, M, N, A, LDA)

    character :: DESC
    integer   :: M, N, LDA
    Double Precision :: A(LDA, *)
    integer      :: i, j

    Write(*,*) DESC
    Write(*,*) DESC

    do i=1,M
        Write(*,9998) (A(i,j), j=1,N)
    end do

    9998      format(11(:,1X, F6.2))
    return
end Subroutine PRINT_MATRIX
!-----Coulomb Repulsion-----
-----!
Function Repulsion(m,n,distance)
    implicit none
    integer           :: m, n
    Double Precision   :: distance, Repulsion, Rcoulomb

    Rcoulomb = iabs(m-n)*distance

    Repulsion = 8.3/Rcoulomb
    print *, 'Repulsion for <',m,'/',n,'> is ',repulsion,''

end Function Repulsion
!-----Dopant-----
-----!
Function Dopant(m,n,totaln,distance,danion)
    implicit none
    integer           :: m, n, totaln, jm, jn
    Double Precision   :: distance, Dopant, Rcoulomb, danion,
Rcoulomb
    Double Precision   :: dpm, dpn

    !notice, I have assumed that we have even number of
chromophores!
    if (m.LE.(INT(totaln/2)).and.n.LE.(INT(totaln/2))) then
        dpm = ((INT(totaln/2)-m)*1.0*distance)+(distance/2.0)
        dpn = ((INT(totaln/2)-n)*1.0*distance)+(distance/2.0)
        Rcoulomb = sqrt((dpm*dpm)+(danion*danion))

```

```

Rcoulombn = sqrt((dpn*dpn)+(danion*danion))
Dopant = (-1.0*(8.3/Rcoulombm)) + (-1.0*(8.3/Rcoulombn))
else if (m.GT.(INT(totaln/2)).and.n.LE.(INT(totaln/2)))
then
jm = m-INT(totaln/2)-1
dpm = (jm*1.0*distance)+(distance/2.0)
dpn = ((INT(totaln/2)-n)*1.0*distance)+(distance/2.0)
Rcoulombm = sqrt((dpm*dpm)+(danion*danion))
Rcoulombn = sqrt((dpn*dpn)+(danion*danion))
Dopant = (-1.0*(8.3/Rcoulombm)) + (-1.0*(8.3/Rcoulombn))
else if (m.LE.(INT(totaln/2)).and.n.GT.(INT(totaln/2)))
then
jn = n-INT(totaln/2)-1
dpm = ((INT(totaln/2)-m)*1.0*distance)+(distance/2.0)
dpn = (jn*1.0*distance)+(distance/2.0)
Rcoulombm = sqrt((dpm*dpm)+(danion*danion))
Rcoulombn = sqrt((dpn*dpn)+(danion*danion))
Dopant = (-1.0*(8.3/Rcoulombm)) + (-1.0*(8.3/Rcoulombn))
else
jm = m-INT(totaln/2)-1
jn = n-INT(totaln/2)-1
dpm = (jm*1.0*distance)+(distance/2.0)
dpn = (jn*1.0*distance)+(distance/2.0)
Rcoulombm = sqrt((dpm*dpm)+(danion*danion))
Rcoulombn = sqrt((dpn*dpn)+(danion*danion))
Dopant = (-1.0*(8.3/Rcoulombm)) + (-1.0*(8.3/Rcoulombn))
end if
!print *, 'Dopant for <',m,'/',n,'> is ',Dopant,''

end Function Dopant
!-----CT Energy Function-----
Function EnergyCT(m,n,wdnap,wdpan,Ntot,Sfactor,VMU)
implicit none
integer :: m, n, t, Ntot
Double Precision :: EnergyCT, wdnap, wdpan
Double Precision :: Sfactor, VMU
!Double Precision :: nA, nD1, nD2

if ((MOD(m,2).eq.0).and.(iabs(m-n).EQ.1)) then
EnergyCT = (Sfactor*wdnap) + VMU
!print *, 'ECT <',m,'/',n,'> is ',EnergyCT,''
else if ((MOD(m,2).eq.0).and.((m-n).EQ.Ntot-1)) then
EnergyCT = (Sfactor*wdnap) + VMU
else if ((MOD(m+1,2).eq.0).and.(iabs(m-n).EQ.1)) then
EnergyCT = (Sfactor*wdpan) + VMU
!print *, 'ECT <',m,'/',n,'> is ',EnergyCT,''
else if ((MOD(m+1,2).eq.0).and.((m-n).EQ.1-Ntot)) then
EnergyCT = (Sfactor*wdpan) + VMU
end if

end Function EnergyCT
!-----Te Function-----

```

```

Function Tefunction(m,n,Teintra,Ntot)
implicit none
integer :: m, n, Ntot
Double Precision :: Tefunction, Teintra
!Double Precision :: nA, nD1, nD2

if ((MOD(m,2).eq.0).and.(iabs(n-m).EQ.1)) then
  Tefunction = Teintra
  !print *, 'Tef is <',m,'/',n,'> is ',Tefunction,''
else if ((MOD(m+1,2).eq.0).and.(iabs(n-m).EQ.1)) then
  Tefunction = Teintra
  !print *, 'Tef is <',m,'/',n,'> is ',Tefunction,''
else if ((MOD(m+1,2).eq.0).and.((m-n).EQ.1-Ntot)) then
  Tefunction = Teintra
  !print *, 'Tef is <',m,'/',n,'> is ',Tefunction,''
else if ((MOD(m,2).eq.0).and.((m-n).EQ.Ntot-1)) then
  Tefunction = Teintra
  !print *, 'Tef is <',m,'/',n,'> is ',Tefunction,''
end if

end Function Tefunction
!-----Th Function-----
-----!
Function Thfunction(m,n,Thintra,Ntot)
implicit none
integer :: m, n, Ntot
Double Precision :: Thfunction, Thintra
!Double Precision :: nA, nD1, nD2

if ((MOD(m,2).eq.0).and.(iabs(n-m).EQ.1)) then
  Thfunction = Thintra
  !print *, 'Thf is <',m,'/',n,'> is ',Thfunction,''
else if ((MOD(m+1,2).eq.0).and.(iabs(n-m).EQ.1)) then
  Thfunction = Thintra
  !print *, 'Thf is <',m,'/',n,'> is ',Thfunction,''
else if ((MOD(m+1,2).eq.0).and.((m-n).EQ.1-Ntot)) then
  Thfunction = Thintra
  !print *, 'Thf is <',m,'/',n,'> is ',Thfunction,''
else if ((MOD(m,2).eq.0).and.((m-n).EQ.Ntot-1)) then
  Thfunction = Thintra
  !print *, 'Thf is <',m,'/',n,'> is ',Thfunction,''
end if

end Function Thfunction
!-----Jfunction-----
-----!
Function Jfunction(m,n,JDA,JDD,JAA,Ntot)
implicit none
integer :: m, n, Ntot
Double Precision :: Jfunction, JDA, JDD, JAA
!Double Precision :: nA, nD1, nD2

!print *, ' JDA ',JDA,''

```

```

if ((MOD(m,2).eq.0).and.(iabs(n-m).EQ.1)) then
  Jfunction = JDA
else if ((MOD(m+1,2).eq.0).and.(iabs(n-m).EQ.1)) then
  Jfunction = JDA
else if ((MOD(m,2).eq.0).and.((n-m).EQ.1-Ntot)) then
  Jfunction = JDA
else if ((MOD(m+1,2).eq.0).and.((n-m).EQ.Ntot-1)) then
  Jfunction = JDA
else if ((MOD(m,2).eq.0).and.(iabs(n-m).EQ.2)) then
  Jfunction = JAA
else if ((MOD(m+1,2).eq.0).and.(iabs(n-m).EQ.2)) then
  Jfunction = JDD
!else if ((MOD(m,2).eq.0).and.((n-m).EQ.Ntot-2)) then
  !Jfunction = JAA
!else if ((MOD(m+1,2).eq.0).and.((n-m).EQ.Ntot-2)) then
  !Jfunction = JDD
end if

end Function Jfunction
!--Dipoles in different directions--
-----!
Function Dipoles(m,n,MuA,MuD,Angle,Alfadegree)
  implicit none
  integer :: m,n
  Double Precision :: Dipoles, MuA, MuD
  Double Precision :: Angle, Alfadegree
  Double Precision :: DegtoRad, MuxA, MuyA, MuxD, MuyD
  Real, parameter :: PI = 3.1415927

  DegtoRad = Angle*PI/Alfadegree           !Angle in radian!
  MuxA = MuA*sin(DegtoRad)
  MuyA = MuA*cos(DegtoRad)
  MuyD = MuD                               !Notice that the angle is expressed
with respect to y-axis along which the MuD is pointing!
  MuxD = 0.0
  !print *, ' MuA ',MuA,''
  !print *, ' cosAng ',cos(DegtoRad),''
  !print *, ' SinAng ',sin(DegtoRad),''

  if ((m.EQ.1).and.(MOD(n,2).eq.0)) then          !in y-direction!
    Dipoles = MuyA
  else if ((m.EQ.1).and.(MOD(n+1,2).eq.0)) then
    Dipoles = MuyD
  else if ((m.EQ.2).and.(MOD(n,2).eq.0)) then      !9n x-direction!
    Dipoles = MuxA
  else if ((m.EQ.2).and.(MOD(n+1,2).eq.0)) then
    Dipoles = MuxD
  end if

end Function Dipoles
!--Frank-Condon Factor, general
formula-----!

```

```

Function FC(m,n,lam)
    implicit none
    integer :: i, j, k, m, n           !m: #quanta in
ground state   n: #quanta in excited state!
    Double Precision :: S, FC, C1, D1, Summ, C2, D2, C3, lam, DEN
    Double Precision, External :: Factorial

S = lam*lam !lam is HR factor!

C1 = dsqrt(Factorial(m))
D1 = dsqrt(Factorial(n))

    !j = MIN(m,n)
    j = n
    Summ = 0.0
    do i=1, (j+1)
        k = i - 1
        if ((m-n+k).lt.0) cycle
        C2 = Factorial(k)
        D2 = Factorial((n-k))
        C3 = Factorial((m-n+k))
        DEN = C2*D2*C3
        Summ = Summ + ((((-1)**(m-
n+k))* (S**((m-n+(2*k))/2.0)))/DEN)
    end do

    FC = C1*D1*dexp(-1.0*(S/2.0))*Summ
    !print *, 'FC factor for <',m,'/',n,'> is ',FC,''
    !print *, 'lamda ',lam,''

end Function FC
!-----
-----!
!-----Factorial-----
-----!
Function Factorial(x)
    implicit none
    integer :: i, x
    Double Precision :: Factorial

    Factorial = 1.0
    do i=1,x
        Factorial = Factorial*(1.0*i)
    end do
    !print *, 'Factorial of ',x,' is ',Factorial,'

end Function Factorial
!-----
-----!

```

